

Mavzular

Arifmetika.

Natural sonlar. Tub va murakkab sonlar.

1. $2012 \cdot 2011 - 2009 \cdot 2014$ ni hisoblang. A) -6 B) -4 C) 6 D) 23

$$2. 3 - 6 + 12 - 24 + 48 - \dots + 3072$$

$$A) 4^6 - 1 B) 4^6 + 1 C) 4^9 + 1 D) 2^{11} + 1$$

3. Ifodani qiyamatining oxirgi raqamini toping: $2 \cdot 2014^{2015} - 3 \cdot 2013^{2014}$

$$A) 5 B) 3 C) 1 D) 0$$

Bo'linish belgilari

4. 11 ga karrali uch xonali natural sonlar nechta? A) 80 B) 81 C) 90 D) 91

5. a va b sonlarini 5 ga bo'lganda qoldiq mos ravishda 4 va 5 ga teng bo'ladi. $a \cdot b$ ko'paytmani 5 ga bo'lgandagi qoldiqni toping. A) 1 B) 2 C) 3 D) 4

6. 324; 255 va 71 sonlaring har birini qanday natural songa bo'lganda qoldiqlari bir xil bo'ladi?

$$A) 23 B) 25 C) 27 D) 29$$

7. a va b natural sonlarning umumiy bo'luvchilar soni 3 ga teng bo'lsa, $a + 3b$ va b sonlarning umumiy bo'luvchilar nechta. A) 1 B) 3 C) 4 D) Bir qiyamatli aniqlab bo'lmaydi

8. [50;150] kesmada 3 ga bo'lganda qoldiq 1 ga, 4 ga bo'lganda qoldiq 2 ga, 5 ga bo'lganda qoldiq 3 ga, 6 ga bo'lganda qoldiq 4 ga teng bo'ladigan natural sonlar nechta?

$$A) 0 B) 1 C) 2 D) 3$$

9. [0;300] kesmada 3 ga bo'lganda qoldiq 1 ga, 4 ga bo'lganda qoldiq 2 ga, 5 ga bo'lganda qoldiq 3 ga, 6 ga bo'lganda qoldiq 4 ga teng bo'ladigan natural sonlar nechta?

$$A) 2 B) 3 C) 4 D) 5$$

Sonlarni tub ko'paytuvchilarga ajratish.

O'zaro tub sonlar.

10. Tub sonlar qatorini toping.

a) 3, 5, 7, 9; b) 1, 2, 3, 5, 7;

c) 2, 3, 5, 7, 21; d) 2, 3, 5, 7, 19.

$$A) a, c B) b C) d D) c$$

11. x va 84 sonlarining eng kichik umumiy karralisi 336 ga, eng kata umumiy bo'luvchisi esa 12 ga teng, x ni toping.

$$A) 16 B) 24 C) 48 D) 60$$

12. Natural bo'luvchilari soni eng ko'p bo'ladigan uch xonali natural sonni toping.

$$A) 480 B) 804 C) 840 D) 908$$

20. 2234 va 2235 sonlarining umumiy natural bo'luvchilari nechta?

$$A) 0 B) 1 C) 2 D) 4$$

21. $2^{18} \cdot 4^9 \cdot 5^{55} \cdot 8^6$ ko'paytma necha honali son bo'ladi?

$$A) 57 B) 54 C) 56 D) 55$$

22. Murakkab n sonning 1 dan katta eng kichik bo'luvchisi m bo'lsin. U holda:

$$A) m < \sqrt{n} B) m \geq \sqrt{n}$$

$$C) m > \sqrt{n} D) m \leq \sqrt{n}$$

23. Yig'indining oxirgi raqamini toping:

$$2014^{2015} + 2015^{2014}$$

$$A) 3 B) 7 C) 9 D) 11$$

24. Ifodaning qiyamatini oxirgi raqamini toping. $2012^{2013} + 2013^{2014} - 2014^{2015}$

$$A) 1 B) 3 C) 5 D) 7$$

25. 500! soni necha nol bilan tugaydi?

$$A) 100 B) 120 C) 124 D) 125$$

$2^{10} - 2^8 + 2^6 - 2^4 + 2^2 - 1$ ifodani 9 ga bo'lgandagi qoldiqni toping.

$$A) 0 B) 1 C) 3 D) 5$$

Kasrlar

26. 6464 sonini standart shakilda ifodalang. A) $6,464 \cdot 10^3$ B) $646,4 \cdot 10$

$$C) 64,64 \cdot 10^2 D) 0,6464 \cdot 10^4$$

27. 21568 sonini standart shakilda ifodalang.

$$A) 21,568 \cdot 10^3 B) 0,21568 \cdot 10^5$$

$$C) 2,1568 \cdot 10^4 D) 2,16 \cdot 10^4$$

28. 21568 sonini standart shakilda ifodalang.

$$A) 21,568 \cdot 10^3 B) 0,21568 \cdot 10^5$$

$$C) 2,1568 \cdot 10^4 D) 2,16 \cdot 10^4$$

29. 2589,7 sonini standart shakilda ifodalang.

$$A) 2,5897 \cdot 10^3 B) 0258,97 \cdot 10$$

- C) $25,897 \cdot 10^2$ D) $0,25897 \cdot 10^4$
30. 6556 sonini standart shakilda ifodalang. A) $65,56 \cdot 10^2$ B) $0,6556 \cdot 10^4$
C) $6,556 \cdot 10^3$ D) $655,6 \cdot 10$

- 31.** 0,06868 sonini standart shakilda ifodalang.

- A) $686,8 \cdot 10^{-4}$ B) $68,68 \cdot 10^{-3}$
C) $6868 \cdot 10^{-5}$ D) $6,868 \cdot 10^{-2}$

- 32.** 0,02032 sonini standart shakilda ifodalang.

- A) $203,2 \cdot 10^{-4}$ B) $20,32 \cdot 10^{-3}$
C) $2032 \cdot 10^{-5}$ D) $2,032 \cdot 10^{-2}$

- 33.** $0,2 \cdot 10^{-5} + 0,3 \cdot 10^{-4} + 0,001 \cdot 10^{-2}$ ni hisoblang.

- A) $0,42 \cdot 10^{-6}$ B) $4,2 \cdot 10^{-6}$
C) $42 \cdot 10^{-6}$ D) $42 \cdot 10^{-5}$

- 34.** Agar $\frac{79}{41} + \frac{148}{51} + \frac{49}{61} = n$ bo'lsa,

$$\frac{3}{41} + \frac{5}{51} + \frac{12}{61} \text{ ni } n \text{ orqali ifodalang.}$$

- A) $6 - n$ B) $6 + n$ C) $3 + n$ D) $3 - n$

- 35.** Hisoblang:

$$\frac{3}{7} - \frac{2}{5} + \frac{9}{49} - \frac{4}{25} + \frac{27}{243} - \frac{8}{125} + \dots$$

A) $\frac{5}{12}$ B) $\frac{1}{12}$ C) $\frac{1}{4}$ D) $\frac{1}{3}$

Cheksiz davriy o'nli kasrlar

- 36.** $\left(\frac{0,(17)}{0,(3)} + 0,(3) \right)^{-1}$ ifodaning qiymati kasr son bolsa, uning surat va maxrajlarining umumiy bo'lувchilari nechta? A) 0 B) 1 C) 2 D) 3

- 37.** $5,(3) + 5\frac{1}{3} : \left(6\frac{3}{4} \cdot 1\frac{1}{3} - 8\frac{1}{9} \right)$ ni hisoblang.

- A) $8\frac{1}{3}$ B) $\frac{26}{3}$ C) $7\frac{1}{3}$ D) $9\frac{1}{3}$

Manfiy va musbat sonlar

- 38.** $(-12) : ((+3) + (-15)) : (-5)$ ni hisoblang.

- A) -5 B) -0,2 C) 0,2 D) 1

- 39.** $0,29 - ((-0,23) - (-1,06) + 0,37) - ((-0,47) - (-0,37))$ ni hisoblang.

- A) -0,19 B) 0,01 C) 0,19 D) -0,01

- 40.**

$$(-36) : ((-20) : (-0,8) + (-2,5) \cdot (+14)) - \\ -0,5 + \frac{1}{6} \cdot (6 + (-4) + (-8))$$

ni hisoblang.

- A) 2,1 B) 5,1 C) -5,1 D) 4,1
 $\frac{5 \cdot (-2)^{-2} + \left(\frac{1}{2}\right)^{-4} - \left(\frac{2}{3}\right)^{-2}}{2^{-2} + 3^0}$ ni

- hisoblang. A) -12 B) 12 C) -13 D) 13

Algebraik amallar

- 42.** x va y sonlar ayirmasining uchlan-ganini yozing va shu ifodaning $x = -0,37$ va $y = -0,42$ bo'lgandagi son qiymatini toping.

- A) -0,79 B) -0,15 C) 0,15 D) 0,12

- 43.** Agar $\frac{8}{a} - \frac{a}{2} = 0$ bo'lsa, $\frac{2^4}{a^2} + \frac{a^2}{(-4)^2}$ ni hisoblang.

- A) 1 B) 1,5 C) 2,5 D) 2

- 44.** Agar $\frac{1}{2a} + \frac{a}{1,5} = \frac{4}{3}$ bo'lsa, $\frac{0,5^3}{a^2} + \frac{a^2}{4,5}$ ni hisoblang.

- A) $\frac{8}{9}$ B) $\frac{5}{9}$ C) $\frac{7}{9}$ D) $\frac{4}{9}$

- 45.** Nomanifiy x, y sonlar uchun $a = \frac{4x+y}{2}$ va $b = 2\sqrt{xy}$ bo'lsin. Qaysi tenglik har doim o'rini? A) $a > b$
B) $a \geq b$ C) $a \leq b$ D) $a < b$

- 46.** $(-p^3)^{11-n} \cdot (p^{n-2})^3$ amallarni bajaring.

- A) p^{27-6n} B) $-p^{39}$ C) p^{27} D) $-p^{27}$

- 47.** $a = -2, c = 2$ bo'lsa,

$$\frac{c(a-b)^3 + a(b-c)^3 + b(c-a)^3}{c^2(b-a) + a^2(c-b) + b^2(a-c)}$$

ifodaning qiymatini toping.

- A) -2 B) 0 C) 1 D) 2

- 48.** $x = -y, z = -2$ bo'lsa,

$$\frac{x^3 + y^3 + z^3 - 3xyz}{x^2 + y^2 + z^2 - xy - xz - yz}$$

ifodaning
qiymatini toping.

- A) -2 B) 0 C) 1 D) 2

- 49.** Agar $y > x > 0$ bo'lsa,

$$x^2 + \frac{x^3}{y^4} + \frac{x^4}{y^5} + \frac{x^5}{y^6} + \dots$$

soddalashtiring.

$$\begin{array}{ll} A) x^2 - \frac{x^3}{y^4 + y^3x} & B) \frac{x^3}{y^4 - y^3x} \\ C) x^2 + \frac{x^3}{y^4 - y^3x} & D) 0 \end{array}$$

50. Agar barcha x, y lar uchun $x^3 + 4x^2y + axy^2 + 3xy - bx^c y + 7xy^2 + dxy + y^2 = x^3 + y^2$ ayniyat bajarilsa $a - b + c + d$, ni toping. ($c > 1$)

- A) -12 B) -10 C) -1 D) 2

60. Agar barcha x, y lar uchun $x^3 + 4x^2y + axy^2 + 3xy - bx^c y + 7xy^2 + dxy + y^2 = x^3 + y^2$ ayniyat bajarilsa $|a + b + c|(a - b - d)$, ni toping. ($c > 1$)

- A) -8 B) -4 C) -2 D) 3

61. Agar barcha x, y lar uchun $x^3 + 4x^2y + axy^2 + 3xy - bx^c y + 7xy^2 + dxy + y^2 = x^3 + y^2$ ayniyat bajarilsa $|a + b + c|(a + b - d)$, ni toping. ($c > 1$)

- A) -8 B) -4 C) -2 D) 3

62. Agar barcha x, y lar uchun $x^3 + 4x^2y + axy^2 + 3xy - bx^c y + 7xy^2 + dxy + y^2 = x^3 + y^2$ ayniyat bajarilsa $|a + b + c|(a + b + d)$, ni toping. ($c > 1$)

- A) -8 B) -4 C) -2 D) 3

62. Agar $a + b + c = 7$ va $\frac{1}{a+b} + \frac{1}{a+c} + \frac{1}{c+b} = \frac{7}{10}$ bolsa, $\frac{a}{a+b} + \frac{b}{a+c} + \frac{c}{c+b}$ son nimaga teng?

- A) $\frac{17}{10}$ B) $\frac{9}{7}$ C) $\frac{3}{2}$ D) $\frac{19}{10}$

63. Kvadratlarning ayirmasi 55 ga teng bo'gan barcha natural sonlar juftligini toping. A) 8 va 3; 20 va 19 B) 28 va 27; 17 va 18 C) 28 va 27 D) 8 va 3; 28 va 27

64. $\frac{10}{x^4 + 24}$ ifodaning eng katta qiymati bilan $x^4 - 15$ ning eng kichik qiymati ko'paytmasining $\frac{1}{5}$ qismini toping.

$x^3 - 2ax^2 + 4bx - 48$ ko'phad $(x-2) \cdot (x-6)$ ga qoldiqsiz bo'linsa, $\frac{a+b}{2}$ ni toping.

- A) 8 B) 8,5 C) 9 D) 9,5

65. $x^3 - 3ax^2 + bx - 15$ ko'phad $(x-1) \cdot (x-3)$ ga qoldiqsiz bo'linsa, a va b ni toping.

- A) 8 B) 8,5 C) 9 D) 9,5

66. O'zaro teng bo'limgan x va y sonlari $x^2 - 36x = y^2 - 36y$ tenglikni qanoatlantirsa $x + y$ ni toping.

- A) 0 B) 18 C) 24 D) 36

67. O'zaro teng bo'limgan x va y sonlari $x^2 - 6x = y^2 - 16y$ tenglikni qanoatlantirsa $x + y$ ni toping.

- A) 0 B) 16 C) 24 D) 26

68. O'zaro teng bo'limgan x va y sonlari $x^2 - 26x = y^2 - 26y$ tenglikni qanoatlantirsa $x + y$ ni toping.

- A) 0 B) 16 C) 24 D) 26

Ehtimollar nazaryasi

69. A va B to'plamlarning barcha umumiy elamantlaridan tuzilgan to'plam qanday nomlanadi?

- A) A va B to'plamlarning birlashmasi
 B) A va B to'plamlarning kesishmasi
 C) A va B to'plamlarning yigindisi
D) A va B to'plamlarning kesishmasi

70. Hisoblang. $C_8^5 \cdot P_2$
 A) 56 B) 48 C) 94 D) 96
 $(P_n = n! = 1 \cdot 2 \cdot 3 \cdots \cdot n)$

70.1. Kasirni qisqartiring: $\frac{n!}{(n+1)!}$

A) 1 B) $\frac{2}{n+1}$ C) $\frac{1}{n+1}$ D) $\frac{n}{n+1}$

71. $\{x | x \in N, -1 \leq x \leq 5\}$ to'plamning nechta qism to'plamlari mavjud?

A) 5 B) 7 C) 16 D) 32

72. $\{x | x \in N, -5 \leq x \leq 5\}$ to'plamni nechta usul bilan ikkita kesishmaydigan qism to'plamlarga ajratish mumkin?

A) 4 B) 8 C) 16 D) 10

73. $\{x | x \in N, -3 < x \leq 5\}$ to'plamning nechta qism to'plamlari mavjud?

A) 5 B) 9 C) 16 D) 32

74. $\{x | x \in N, -6 \leq x \leq 5\}$ to'plamning nechta qism to'plamlari mavjud?

A) 12 B) 32 C) 5 D) 16

75. $\{x | x \in N, 6 \leq x \leq 40\}$ to'plamning nechta qism to'plamlari mavjud?

A) 8 B) 32 C) 5 D) 16

76. $\{x | x \in N, x^2 \leq 23\}$ to'plamning nechta qism to'plamlari mavjud?

A) 8 B) 32 C) 5 D) 16

77. $\{x | x \in N, 2 \leq x^2 \leq 44\}$ to'plamning nechta qism to'plamlari mavjud?

A) 5 B) 16 C) 32 D) 44

78. $\{x | x \in N, 6 \leq x^2 \leq 39\}$ to'plamning nechta qism to'plamlari mavjud?

A) 5 B) 16 C) 32 D) 8

79. 6 nafar mahmonni 6 ta stulga o'tkazish varyantlari nechta?

A) 6 B) 180 C) 300 D) 720

80. To'rt nafar yigit va ikki nafar qizdan konsertni olib borishi uchun bitta yigit va bitta qizni tanlab olish

kerak. Bunday ishni nechta usul bilan amalga oshirish mumkin?

A) 6 B) 8 C) 10 D) 12

81. O'yin boshlaganda 10 nafar volebol o'yinchidan nechta usul bilan 6 nafarin o'yinga tushurish mumkin?

A) 30 B) 240 C) 210 D) 60

82. 10 ta kartochkada 1 dan 10 gacha sonlar yozilgan (har bir kartochkada bittadan). Tasodifan olingan kartochkada 3 sonni bo'lishi ehtimolligini toping.

A) $\frac{3}{10}$ B) 0,4 C) 0,1 D) $\frac{1}{3}$

83. 6 ta katakdan ikkitasi qizil rangga, qolgan to'rtta katak esa oq, qora, yashil va ko'k rangga (har biri bitta rangga) bo'yalishi kerak. Bunday ishni necha usul bilan amalga oshirish mumkin?

A) 120 B) 360 C) 500 D) 180

84. Uchra mernan nishonga bir martadan o'q uzmoqda. Ularning nishonga tegish ehtimolliklari mos ravishda 90%, 80%, va 70% ga teng. Uchalasi ham nishonga tegish ehtimolligini toping.

A) 0,3 B) 0,5 C) 0,504 D) 0,006

85. Savatdagi mevalarning 30% i banan va 60% i olma. Tasodifan olingan meva banan yoki olma bo'lish ehtimolligini toping.

A) 0,18 B) 0,5 C) 0,34 D) 0,9

Matinli masala

86. 639 sonini 2:3:4 kabi nisbatda bo'ling.

A) 142; 215; 282 B) 171; 142; 326
 C) 142; 213; 284 D) 171; 239; 259

87. Samandar doskaga ikki son yozdi. Uchunchi son sifatida birinchi va ikkinchi sonlarning yig'indisini, to'rtinchi son sifatida ikkinchi va uchunchi sonlarning yig'indisini va h.k. yozdi, lekin yettinchi sonni yozmadи. So'ng dastlabgi oltita sonni qo'shdi va bu yigindini bilgan holda qo'shiluvchilardan birini aniq hisoblash

mumkinligini ko'rdi. Bu qaysi qo'shiluvchi edi?

- A) To'rtinchi B) beshinchi
C) oltinchi D) uchunchi

88. Samandarning o'g'il bola sinifdoshlari soni qiz bola sinifdoshlari sonidan 7 taga ko'p. Sinfda o'g'il bollar soni qiz bollar sonidan 2 marta ko'p. Diyora Samandarning sinifdoshi. Diyoraning sinifdosh dugonalari nechta?

- A) 6 B) 7 C) 8 D) 9

89. Bir ayol bog'ga olma tergani kirdi. Bog'dan u 4 ta eshik orqali chiqishi kerak edi. Har bir ashik oldida qorovul turgan bo'lib, ayol birinchi qorovulga tergan olmalarining yarmini berdi. Ikkinci qorovulga qolgan olmalarning yarmini berdi. Uchunch va to'rtinchinchi qorovullarni ham huddi shunday siyladi. Oxirda o'zida 10 ta olma qoldi. Ayol bog'dan nechta olma uzgan?

- A) 150 B) 160 C) 180 D) 210

90. Daraxtdagi beshta shoxning har birida qo'nib turgan qushlar soni baravar. Har bir shoxdan 2 tadan qush uchib ketganda, ilgari uchta shoxda nechta qush bo'lsa, hamma shoxda shuncha qush qoldi. Har bir shoxda nechtadan qush bo'lgan?

- A) 4 tadan B) 5 tadan
C) 6 tadan D) 10 tadan

91. Bir savat olma 20000 so'm, bir savat nok 30000 so'm, bir savat olgori 40000 so'm turadi. Sakkiz savat meaning bahosi 230000 so'm bo'lsa, ulardan eng ko'pi bilan nechtasida olxo'ri bo'lishi mumlin.

- A) 1 B) 2 C) 3 D) 4

92. Oltin va durdan yasalgan bezkning og'irligi 3 misqol, narxi 24 dinor. Agar 1 misqol oltin 5 dinor, 1 miqol dur 15 dinor tursa, bezakda qancha misqol oltin bor?

- A) 1,2 B) 1,8 C) 2,1 D) 2,4

93. Kollejda 4 ta guruhda 126 ta o'quvchi bor. Birinchi guruhada jami

o'quvchilarning $\frac{3}{14}$ qismi, ikkinchi guruhda $\frac{5}{21}$ qismi, uchunchi gruhda $\frac{11}{42}$ qismi, qolganlari to'rtinchi guruhda o'qiydi. Har bir guruhda nechta o'quvchi bor?

- A) 30; 27; 36; 33 B) 36; 33; 30; 27
C) 27; 30; 33; 36 D) 33; 30; 27; 36

94. Avtomobil haydovchisi birinchi soatda yo'lning yrmini, ikkinchi soatda qolgan yo'lning $\frac{1}{3}$ qismini, uchunchi soatda qolgan 56 km masofani bosib o'tdi. Haydovchi uch soatda jami qancha yo'l bosib o'tgan?

- A) 112 B) 144 C) 156 D) 168

95. O'quvchi uyidan maktabgacha bo'lgan masofani birinchi yarim soatda $\frac{1}{3}$ qismini, ikkinchi yarim soatda qolgan masofaning yarmini yurgach, yana 450 m masofa qoldi. O'quvchi jami qancha masofani yurishi kerak?

- A) 1350 B) 1400 C) 1300 D) 1370

96. Yo'lovchi birinchi soatda yo'lning $\frac{1}{5}$, ikkinchi soatda qolgan yo'lning $\frac{1}{3}$ qismini, uchunchi soatda esa qolgan yo'lning yarmini yurgach, mo'jalgacha 4 m masofa qoldi. Yo'lovchi jami qancha masofani yurishi kerak?

- A) 11 B) 12 C) 15 D) 16

97. Bir sonning 30% ortig'i shu sonning 20% kmidan necha foiz ko'p?

- A) 60,5 B) 56,25 C) $66\frac{2}{3}$ D) 45

98. Sayyoh mo'jallangan yo'lning 67% ni o'tgach hisoblab ko'rsa, yo'lning to'rtdan uch qismini o'tishi uchun yani 9 km yurishi kerak ekan. Mo'jallangan yo'l necha km bo'lgan?

- A) 112 B) 112,4 C) 112,5 D) 115

99. Poyezd 2 minutda 4 kilometr masofani, motosikl 3 minutda 4 kilometr masofani bosib o'tadi.

Motosiklchining tezligi poyezd tezligining necha foizini tashkil etadi?

- A) $67\frac{2}{3}\%$ B) $73\frac{1}{3}\%$
 C) $66\frac{2}{3}\%$ D) 70%

100. Poyezd 4 minutda 8 kilometr masofani, motosikl 6 minutda 8 kilometr masofani bosib o'tadi. Motosiklchining tezligi poyezd tezligining necha foizini tashkil etadi?

- A) $53\frac{1}{3}\%$ B) $65\frac{2}{3}\%$
 C) 70% D) $66\frac{2}{3}\%$

101. Talaba 25 ta savolning 76%ini to'g'ri belgiladi, 20% ini taxminan belgiladi. Taxminan belgilangan javoblar to'g'ri javoblarining necha % ini tashkil etadi.

- A) 75% B) $27\frac{4}{19}\%$
 C) $26\frac{6}{19}\%$ D) 70%

102. Akvariumning bo'yи 110 sm, eni 70 sm, balandligi 60 sm. Suv sathi yuqoridan 10 sm pastda bo'lishi uchun akvariumga necha litr suv quyish kerak?

- A) 312 B) 462 C) 385 D) 38,5

103. Metal quyma tarkibida 18 kg rux, 36 kg mis, 6 kg qalay bor. Qalay quyma tarkibiy qismlarining necha foizini tashkil qiladi?

- A) 10 B) 20 C) 30 D) 60

104. Akvariumning bo'yи 120 sm, eni 70 sm, balandligi 90 sm. Suv sathi yuqoridan 10 sm pastda bo'lishi uchun akvariumga necha litr suv quyish kerak?

- A) 77 B) 756 C) 670 D) 672

Ratsianal ko'rsatkichli daraja

105. Soddalashriring:

$$(18 + 8\sqrt{2})(4 - \sqrt{2})^2 + 4\sqrt{20\frac{1}{4}}.$$

- A) 254 B) 178 C) 214 D) $6 + \sqrt{2}$

106. Hisoblang:

$$\left(\sqrt{1+\sqrt{6}} - \sqrt{\sqrt{150} + \sqrt{25}}\right) \cdot \sqrt{\sqrt{6}-1} + 1 - \sqrt{5}.$$

- A) 4 B) -4 C) 6 D) $6 - 2\sqrt{5}$

107. Hisoblang: $\frac{1}{\sqrt{1} + \sqrt{4}} + \frac{1}{\sqrt{4} + \sqrt{7}} +$

$$+ \frac{1}{\sqrt{7} + \sqrt{10}} + \dots + \frac{1}{\sqrt{2011} + \sqrt{2014}}$$

- A) $\frac{\sqrt{2014} - 1}{3}$ B) $\frac{1 - \sqrt{2014}}{3}$ C) 3 D) $\frac{1}{3}$

108. Ifodani soddalashtiring

$$\frac{1,6 + 5,4}{\sqrt[3]{2,56} - \sqrt[3]{8,64} + \sqrt[3]{29,16}} - \frac{2,25 - 1,44}{1,5 - 1,2} + \frac{27}{10}$$

A) $-2\sqrt[3]{0,2}$ B) $5\sqrt[3]{0,2}$
 C) 0 D) $2\sqrt[3]{0,2}$

109. Hisoblang:

$$(4\sqrt{3} + 8) \cdot \left(\sqrt{3}(\sqrt{3} - 2) + \frac{3 - 2\sqrt{3}}{\sqrt{3}} + \frac{\sqrt{3} - 2}{\sqrt{3}} + \dots \right) : (\sqrt{3} + 1)$$

- A) 6 B) -6 C) $6\sqrt{3}$ D) $-6\sqrt{3}$

110. Hisoblang:

$$\sqrt{3\sqrt{2} - 4} \cdot \sqrt[4]{34 + 24\sqrt{2}} \cdot \sqrt[4]{324}$$

- A) 4 B) 6 C) 8 D) 9

111. Hisoblang: $\frac{\sqrt[4]{2\sqrt{2} + 3}}{\sqrt[4]{2 + 1}}$

- A) $\sqrt{2}$ B) 1 C) $\frac{1}{\sqrt{2}}$ D) $\frac{1}{2}$

112. Hisoblang: $1 - \frac{1}{1 - \frac{3\sqrt{3}}{\sqrt{3} - \frac{3}{2\sqrt{3}}}}$

- A) 0,2 B) 1,2 C) $1 - \frac{\sqrt{3}}{2}$ D) $\frac{\sqrt{3}}{2}$

113. $x = 2,125$ bo'lsa,

$$\sqrt{4x^2 - 5(4x - 5)} + 2\sqrt{9 + x(x + 6)}$$

ifodaning qiymatini toping.

- A) 5,5 B) 6,5 C) 6 D) 11

114. $x = 3,185$ bo'lsa,

$$\sqrt{x+1-4\sqrt{x-3}} + \sqrt{x+1+4\sqrt{x-3}}$$

ifodaning qiymatini toping.

- A) $\frac{\sqrt{74}}{10}$ B) 1 C) 4 D) $\frac{\sqrt{74}}{5}$

115. $x = 9,75$ bo'lsa,

$$\sqrt{x+6\sqrt{x-9}} + \sqrt{x-6\sqrt{x-9}}$$
 ifodaning qiymatini toping.

- A) $3\sqrt{3}$ B) 3 C) 6 D) $\sqrt{3}$

116. $a = 4,125$ bo'lsa,

$$\sqrt{a-4\sqrt{a-4}} + \sqrt{a+4\sqrt{a-4}}$$
 ifodaning qiymatini toping.

- A) $\frac{\sqrt{2}}{2}$ B) 2 C) 4 D) $\sqrt{2}$

117. $a = 1$ bo'lsa,

$$\sqrt{2a-\sqrt{a^2+2}} \cdot \sqrt{2a+\sqrt{a^2+2}}$$
 ifodaning qiymatini toping.

- A) $\sqrt{3}$ B) 1 C) 2 D) $\sqrt{5}$

118. $x = 2,61$ bo'lsa,

$$(3-x)^{-1} \sqrt{(x-3)^2(x+1)}$$
 ifodaning

qiymatini toping.

- A) -1,9 B) 1,9 C) 3,61 D) -3,61

119. $m = 9$ bo'lsa,

$$\frac{m^{1,5} + 2\sqrt{2}}{m+2-\sqrt{2m}} + \sqrt{2}(\sqrt{2m}-1)$$
 ifodaning

qiymatini toping.

- A) 0 B) 9 C) 12 D) 27

120. $m = 32$ bo'lsa,

$$\frac{m^{1,2} - 3\sqrt{3}}{m^{0,8} + 3 - \sqrt{3m^{0,8}}} - \sqrt{3}(\sqrt{3m^{0,8}} - 1)$$

ifodaning qiymatini toping.

- A) -8 B) -6 C) 6 D) 8

121.
$$\frac{\sqrt{5-2\sqrt{6}}}{(\sqrt[4]{3}+\sqrt[4]{2})(\sqrt[4]{3}-\sqrt[4]{2})}$$
 ni hisoblang.

- A) -1 B) 1 C) 2 D) 3

122.
$$\frac{\sqrt[3]{a^5b^{-1}} - \sqrt[3]{a^{-1}b^5}}{\sqrt[3]{a^2b^{-1}} + \sqrt[3]{a^{-1}b^2}}$$
 ni soddalashtiring.

- A) 1 B) $a^{-1} + b^{-1}$

C) $a - b$ D) $a^{-1} - b^{-1}$

$$123. \left(\frac{x-0,(5)}{\sqrt[3]{x^2} + \sqrt[3]{\frac{5x}{9}} + \sqrt[3]{\frac{25}{81}}} + (0,(5))^{\frac{1}{3}} \right)^3$$

ni soddalashtiring.

- A) x B) $2x$ C) $x-1$ D) $x+1$

Tenglamalar

$$124. \frac{1}{x-2} + \frac{1}{x+7} = \frac{1}{x-1} + \frac{1}{x+1}$$

tenglamani yeching.

- A) -0, 5; 5

- B) 0, 2; 5 C) -0, 2; 0, 2 D) -5; 5

$$125. \frac{1}{\frac{1}{x+\frac{2}{2}} + \frac{1}{x+\frac{2}{2}}} = \frac{1}{\frac{1}{x+\frac{2}{2}} + \frac{1}{x+\frac{2}{2}}} = \frac{x}{36}$$

$$\frac{1}{\frac{1}{x+\frac{2}{2}} + \frac{1}{x+\frac{2}{2}}} = \frac{1}{\frac{1}{x+\frac{2}{2}} + \frac{1}{x+\frac{2}{2}}} = \frac{1}{\frac{1}{x+\frac{2}{2}} + \frac{1}{x+\frac{2}{2}}}$$

tenglamani yeching.

- A) 1 B) 36 C) 60 D) 70

$$126. (x^2 + 3x + 3)(x^2 + x + 3) = 3x^2$$

tenglamaning haqiqiy ildizlari yig'indisini toping.

- A) 3 B) 2 C) 4 D) 6

127.

$$(x^2 + 11x + 11) \cdot (x^2 + x + 11) = 11x^2$$

tenglamaning eng kichik ildizi eng kattasidan qancha kichik?

- A) 10 B) 9 C) 8 D) 11

128. Tenglamaning ildizlari yig'indisini toping

$$(x^2 + 23x + 23) \cdot (x^2 + x + 23) = 23x^2$$

- A) -25 B) -24 C) -23 D) -22

129. $\sqrt{x-1} + x - 7 = 0$ tenglamaning ildizlari yig'indisini toping.

- A) 14 B) 5 C) 10 D) 15

130. Tenglamaning ildizlari yig'indisini toping:

$$\sqrt{x-3} - \sqrt{x+1} + 2 = 0$$

- A) 1 B) 2 C) 3 D) 4

131. Tenglamaning ildizlari yig'indisini toping:

$$\sqrt{4x+13} - \sqrt{3x+12} = -\sqrt{x+1}$$

- A) -1 B) 0 C) 2 D) \emptyset

132. $\sqrt{7 - \sqrt{\sqrt{x+2} + 7}} = 2$ tenglamani
ning ildizlari quydag'i oraliqlardan qaysi
biriga tegishli? A) [7;10) B) [4;2)
C) [4;7) D) [-1;2)

133. Tenglamani yeching:

$$\sqrt{x+9+5\sqrt{2x-7}} + \sqrt{x+1+3\sqrt{2x-7}} = 5\sqrt{2}$$

A) 3,5 B) 4 C) 8 D) 16

134. Tenglamani yeching:

$$\sqrt{x+2+\sqrt{2x+5}} + \sqrt{x+6+3\sqrt{2x+3}} = 11\sqrt{2}$$

A) 6 B) 11 C) 23 D) 39

135. Tenglamani yeching:

$$\sqrt{x-2+\sqrt{2x-5}} + \sqrt{x+2+3\sqrt{2x-5}} = 7\sqrt{2}$$

A) 3 B) 7 C) 14 D) 15

136. $\sqrt{36-4x^2} + \sqrt{100-4x^2} = 18x^4 + 16$
tenglmang ildizlari qaysi oraliqqa
tegishli? A) [0;2] B) (0;2)
C) (-2;0) D) [-3;-1]

137. Tenglamani yeching:

$$\sqrt{x+3+4\sqrt{x-1}} + \sqrt{x+8+6\sqrt{x-1}} = 17$$

A) 10 B) 26 C) 37 D) 50

140. Tenglama nechta yechimga ega?

$$12 - 7x + x^2 = 4(x-3)\sqrt{x}$$

A) 0 B) 1 C) 2 D) 3

145. Tenglamani yeching:

$$\frac{2}{2-\sqrt{x}} + \frac{1}{2} = \frac{4}{2\sqrt{x}-x}$$

A) 4 B) 16 C) 4; 16 D) \emptyset

146. $8 - \sqrt[3]{76 - \sqrt{x}} = \sqrt[3]{76 + \sqrt{x}}$
tenglamani yeching.

A) 2209 B) \emptyset C) 2304 D) 2401

147. Tenglamani yeching:

$$\sqrt[3]{2x-7} + 1 = 5 - \sqrt[3]{2x-7}$$

A) 3 B) 4 C) 17 D) 66

148. $|x^2 - 9x + 15| = 7$ tenglama
yechimlari yig'indisini toping.

A) 7 B) 9 C) 8 D) -7

149. $0,2^{x^2+7x+4,5} = 5\sqrt{5}$ tenglamani
yeching. A) -1; -6 B) 1; -6
C) 1; 6 D) -1; 6

150. Tenglamani yeching.

$$2 \cdot 3^{2x-1} - 5 \cdot 3^{x-1} = 441$$

A) 1 B) 3 C) 5 D) 6

151. Tenglamaning ildizlari yig'indisini
toping: $(5^{2x+7} - 25) \cdot \sqrt[8]{4-x^2} = 0$

A) -2,5 B) -0,5 C) 0 D) 1,5

152. Tenglamaning ildizlari yig'indisini
toping: $(x-2) \cdot \sqrt{x^2 - 2x - 12} = 6x - 12$

A) -4 B) 2 C) 4 D) 10

153. $\frac{256}{2^{x+3}} = (0,25)^{2-x}$ tenglamani
yeching. A) 0 B) 1 C) 2 D) 3

154. Tenglamaning ildizlari yig'indisini
toping: $(\sqrt{5} + 2)^{x-1} = (\sqrt{5} - 2)^{\frac{x-1}{x+1}}$

A) -2 B) -1 C) 0 D) 1

155. Tenglama nechta yechimga ega?

$$12 - 7x + x^2 = 4(x-3)\sqrt{x}$$

A) 0 B) 1 C) 2 D) 3

156. Tenglamaning haqiqiy ildizlari
ko'paytmasini toping: $x^3 - 32 - 4x\sqrt{x} = 0$

A) 1 B) 2 C) 3 D) 4

157. $\begin{cases} y^2 + xy = 12 \\ x^2 + xy = 4 \end{cases}$ tenglamalar
sistemasini yeching.

A) (-1;-3) va (1;3) B) (1;3)
C) (1;3) va (3;1) D) (-1;-3)

158. $\begin{cases} \sqrt{x} - \sqrt{y} = 3 \\ x - y = 21 \end{cases}$ Sistemadan $x + y$
ni toping. A) 25 B) 29 C) 30 D) 38

159. $(x;y)$ sonlar juftligi

$\begin{cases} 3x - 12y = 27 \\ \sqrt{x} + 2\sqrt{y} = 9 \end{cases}$ tenglama sistemasini
qanoatlantirsa, $x + y$ ning qiymatini

toping. A) 7 B) 9 C) 23 D) 29

160. $\begin{cases} x - z = -1 \\ x + y = 2 \\ y - z = -5 \end{cases}$ tenglamalar
sistemsini qanoatlantiruvchi x, y va z

sonlarining o'rta arifmetigini toping.

A) 0 B) -2 C) 2 D) -1,5

161. $\begin{cases} \frac{1}{a} + \frac{4}{b} = \frac{1}{2} \\ \frac{2}{a} + \frac{3}{b} = \frac{4}{5} \end{cases}$ bo'lsa, $b - ?$
 A) 17 B) 25 C) 50 D) 134

162. $\begin{cases} 2x - y + z = 2 \\ 3x + 2y + 2z = -2 \\ 2x - 2y + z = 3 \end{cases}$ sistemani yeching.
 A) 2;1;3 B) 2;-1;3 C) 2;-1;-3 D) -2;-1;-3

163. $\begin{cases} 2x - 4y + 3z = 1 \\ x - 2y + 4z = 3 \\ 3x - y + 5z = 2 \end{cases}$ sistemani yeching.

A) -1;0;1 B) 1;0;1 C) 0;1;-1 D) -1;-1;0

164. $\begin{cases} x + 2y = 5 \\ x^2 + y + 5 = 4xy \end{cases}$ Tenglamalar sistemasining yechimlaridan iborat nuqtalarni tutashtiruvchi kesmaning uzunligini toping.

A) 1 B) $3\sqrt{5}$ C) $\frac{3\sqrt{5}}{4}$ D) $\sqrt{5}$

Tengsizliklar

165. Tengsizlikni yeching:
 $\sqrt{4 + 3x} < x$.
 A) $0 < x < 4$ B) $x \geq 1$
 C) $x > 4$ D) $x < 4$

166. $\frac{(x-2)(x+1)^2(x-3)}{(x+2)^2(x-4)} \geq 0$

tengsizlikni eng katta manfiy butun yechimining eng kichik butin musbat yechimiga nisbatini toping.

A) $-\frac{1}{3}$ B) $-\frac{1}{5}$ C) $-\frac{1}{2}$ D) $-\frac{1}{4}$

167. $3 \geq \frac{2 - 8x - x^2}{x^2 - 1}$ tengsizlikni qanoatlantiruvchi eng katta butun manfiy sonni toping.
 A) -5 B) -3 C) -2 D) -1

168. $|3 - \sqrt{x+5}| > \frac{x-8}{6}$ tengsizlikning butun yechimlari nechta?

- A) 23 B) 24 C) 25 D) cheksiz ko'p

169. $|3 - \sqrt{x+5}| > \frac{x-8}{6}$ tengsizlikning manfiy butun yechimlari nechta?

- A) 8 B) 7 C) 5 D) cheksiz ko'p

170. $\left| \frac{x^2 - 5x + 4}{x^2 - 4} \right| \leq 1$ Tengsizlikni

nechta tub son qanoatlantiradi?

- A) 0 B) 1 C) 2 D) 3

171. Tengsizlikni yeching.

$$\left| \frac{x^2 - 3x + 2}{x - 1} \right| \leq 1.$$

- A) (1;3] B) (1;5] C) (1;3) D) [1;5]

$$1 + \frac{\sqrt{3x-2}}{x-4} < 0$$
 tengsizlikni yeching.

- A) $2 < x < 4$ B) $2 \leq x < 4$
 C) $x > 9$ D) $2 \leq x < 4, x > 9$

Parametrli tenglama va parametrali tenglamalr sistemasi

173. a ning qanday qiymatida $ax + 3a = x^2$ tenglama yagona yechimga ega?

- A) $a = 0; a = -12$
 B) $a = 0; a = 12$ C) $a = 0;$ D) $a = 12$

174. $|x^2 - 5ax| = 15a$ tenglama yagona yechimga ega bo'ladigan a ning barcha qiymatlarini toping.

- A) 0 B) 2,4 C) 3 D) 4

175. Agar $|x - 10| = \frac{x}{2} + a$ tenglama yagona yechimga ega bo'ladigan a ning barcha qiymatlari yig'indisini toping.

- A) 0 B) 2,4 C) 3 D) 4

Parametrli tenglama va parametrali tenglamalr sistemasi

176. k ning qanday qiymatlarida $\frac{1}{k+1} = 1 - k$ tenglama manfiy yechimga

ega.

B) $k \leq 1$

A) $k < 0; k > 1$

C) $k > 0; k < 1$ D) $k < 1$

177. a ning qanday qiymatida $ax + 3a = x^2$ tenglama yagona yechimga ega?

A) $a = 0; a = -12$ B) $a = 0; a = 12$

C) $a = 0;$ D) $a = 12$

178. $|x^2 - 5ax| = 15a$ tenglama ikkita haqiqiy yechimga ega bo'ladigan a ning barcha natural qiymatlar yig'indisini toping. A) 2 B) 3 C) 10 D) 4

179. Agar $|x - 10| = \frac{x}{2} + a$ tenglama yagona yechimga ega bo'ladigan a ning barcha qiymatlari yig'indisini toping.

A) 0 B) 2,4 C) 3 D) 4
Funksiya

180. $f(x) = e^x - x$ bo'lsa, $\frac{f(4)}{f(2)}$ ni toping.

A) $e^2 - 2$ B) $e + 2$ C) $e^4 - 4$ D) $e^2 + 2$

181. $f(g(2)) + g(f(1))$ ning qiymatini

toping, agar $f(x) = \begin{cases} 2, & x > 1 \\ 1-x, & x \leq 1 \end{cases}$ va

$g(x) = \begin{cases} 0, & x < 0 \\ 3^x, & x \geq 0 \end{cases}$ bo'lsa.

A) 2 B) 3 C) 4 D) 5

182. $\sqrt[4]{\left(x - \frac{2}{5}\right)\left(x + \frac{1}{2}\right)}$ funksiyaning aniqlanish sohasini toping.

A) $(-2; 3)$ B) $\left(-2; -\frac{1}{2}\right] \cup \left[\frac{2}{5}; 3\right)$

D) $\left[-\frac{1}{2}; \frac{2}{5}\right]$ C) $(-\infty; -2) \cup \left(-\frac{1}{2}; \frac{2}{5}\right] \cup (3; \infty)$

183. $y = \sqrt{\frac{\left(x - \frac{2}{5}\right)(x + 0,5)}{(3 - x)(x + 2)}}$

funksiyaning aniqlaning sohasiga tegishli barcha butun sonlar ko'paytmasini toping.

A) -3 B) -2 C) 0 D) 2

184. $y = \frac{\sqrt[4]{x+1} - \sqrt[4]{x}}{x^2 + 2x - 3}$ funksiyaning aniqlaning sohasiga tegishli bo'lgan eng kichik butun sonni toping.

A) 0 B) 1 C) 2 D) 3

185. $y = \frac{\sqrt{\log_x(5x^2 + 4x)}}{|x|}$ funksiyaning

aniqlanish sohasiga tegishli bo'lмаган butun musbat yechimlarining yig'indisini toping. A) 0 B) 1 C) 0,2 D) 1,2

186. Agar $f(x) = \begin{cases} x + 1, & x < -2 \\ x^2 + 4x, & -2 \leq x < 3 \\ 2x + 3, & 3 \leq x \end{cases}$

funksiya berilgan bo'lsa, $f(-4) + f(2) + f(5)$ ning qiymatini toping. A) 24 B) 20 C) 26 D) 22

187. $f(x) = \begin{cases} \frac{x}{2}, & x - juft \\ x + 1, & x - toq \end{cases}, f(f(f(f(f(17)))))) = ?$

A) 1 B) 12 C) 5 D) 6

188. Agar $y = kx - 2$ funksiya grafiki $A(1; 2)$ nuqtadan o'tsa, k ning qiymatini toping.

A) 2 B) 4 C) 6 D) 8

189. Agar $y = -2,6x + b$ funksiya grafiki $A(1; 0,5)$ nuqtadan o'tsa, b ning qiymatini toping.

A) $\frac{31}{5}$ B) $-\frac{21}{10}$ C) $\frac{21}{10}$ D) $\frac{23}{10}$

190. Agar $f(x) = ax^7 + bx^3 - 2$ funksiya uchun $f(-3) = -2$ shart bajarilsa, $f(3)$ qiymatini toping. A) 1 B) -2 C) -1 D) bir qiymatli aniqlanmaydi.

191. Agar $f(x) = ax$ va $g(x) = x + b$ funksiyalardan $f(g(x)) = x + 2$ funksiya tuzilgan bo'lsa, $b - a$ ning qiymatini toping.

- A) -3 B) -1 C) 1 D) 3

192. $f(x+2) + f(x-1) = 2(x^2 + 7)$ ekani malum bo'lsa, $f(x)$ fuksiyani toping.

A) $f(x) = x^2 - x + 5$
 B) $f(x) = x^2 - 4$
 C) $f(x) = 2x^2 + 1$
 D) $f(x) = x^2 + 3x + 7$

193. $f(x) = \frac{2x}{x-1}$ funksiya grafiki qaysi choraklardan o'tadi?

- A) I, II-chorak B) I, III, IV-chorak
 C) I,II,III,IV-chorak D) I,II,IV-chorak

194. 45° burchak hosil qiluvchi to'g'ri chiziq tenglamasini toping.

- A) $y = x - 5$ B) $y = x + 5$
 C) $y = x - 1$ D) $y = x + 1$

195. $M(2;3)$ va $N(-3;-1)$ nuqtalar berilgan. MN kesmaning ordinate o'qi bilan kesishgan nuqtasi koordinatalarini toping.

- A) $\left(0; \frac{7}{5}\right)$ B)
 $\left(\frac{7}{5}; 0\right)$
 C) $\left(-\frac{7}{4}; 0\right)$ D) $\left(0; -\frac{7}{5}\right)$

198. $A(-6;-1)$ nuqta $C(n;5)$ va $B(-2;1)$ nuqtalardan o'tuvchi to'g'ri chiziqda yotsa, n ning qiymati nechiga teng bo'ladi? A) 4 B) 5 C) 6 D) 8

197. a va b sonlari qanday bo'lganda $ax - 2y = b$ to'g'ri abscissa o'qi musbat yo'nalishi bilan o'tkir burchak qilib, $(0, -2)$ nuqtadan o'tadi?

- A) $a = -1, b = -4$ B) $a > 0, b = 4$
 C) ##### D) aniqlab bo'lmaydi.

198. $y = \frac{21 + 6x + x^2}{11 + 6x + x^2}$ funksiyaning qiymatlar sohasiga tegishli barcha butun sonlar yigindisini toping.

- A) 15 B) 20 C) 21 D) 24

199. $y = 2^{kx^2 - 8}$ funksiya grafiki $A(2;8)$ nuqtadan o'tsa, k ning qiymatini toping.

- A) 2 B) 4 C) 6 D) 8

$f(x) = \frac{(x-3)^2}{4}$ funksiya uchun

$f^{-1}(0)$ ni hisoblang.

- A) 3 B) 4 C) $\frac{4}{3}$ D) $-\frac{27}{4}$

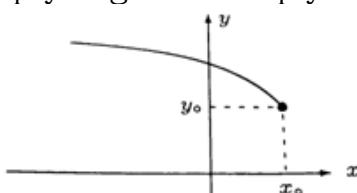
201. $f(x+1) = 7 + 3x$ funksiya uchun $f^{-1}(a) = 2$ tenglik o'rinxli bo'lsa, a ning qiymatini toping.

- A) 8 B) 10 C) 12 D) $-\frac{2}{3}$

202. Grafigi paraboladan iborat $f(x)$ funksiyaning ozod hadi 6 ga teng, parabolaning uchi $\left(2,5; -\frac{1}{4}\right)$ bolsa, $f(x) > 0$ tengsizlikni eching.

- A) $(2;3)$ B) $(-\infty; 2] \cup [3; \infty)$
 C) $[3; \infty)$ D) $(-\infty; 2) \cup (3; \infty)$

203. Rasmida $y = a\sqrt{bx + c} + d$ funksiya grafigi tasvirlangan va $y = y_0$ uning eng kichik qiymati bo'lsa, quyidagilardan qay biri doim o'rinxli?



- A) $bc > d$ B)

$$a > c$$

- C) $ab < 0$ D) $abc > d$

204. Ox o'qidan 5 marta, Oy o'qidan 3 marta cho'zish orqali $y = f(x)$ funksiya

grafigidan qaysi funksiya grafigi hosil qilinadi? A) $y = 5f\left(\frac{x}{3}\right)$ B) $y = 5f(3x)$
 C) $y = \frac{f(3x)}{5}$ D) $y = \frac{f\left(\frac{x}{3}\right)}{5}$

205. Ox o'qidan 2 marta, Oy o'qidan k marta cho'zish orqali $y = f(x)$ funksiya grafigidan qaysi funksiya grafigi hosil qilinadi?

- A) $y = 2f\left(\frac{x}{k}\right)$ B) $y = 2f(kx)$
 C) $y = \frac{f(kx)}{2}$ D) $y = \frac{f\left(\frac{x}{k}\right)}{2}$

206. Ox o'qidan l marta, Oy o'qidan 2 marta cho'zish orqali $y = f(x)$ funksiya grafigidan qaysi funksiya grafigi hosil qilinadi?

- A) $y = lf\left(\frac{x}{2}\right)$ B) $y = lf(2x)$
 C) $y = \frac{f(2x)}{l}$ D) $y = \frac{f\left(\frac{x}{2}\right)}{l}$

Teskari funksiya

209. $f(x) = \frac{4 - 2f(x)}{x - 4}$ funksiyaga teskari funksiyani toping.

- B) $\frac{2x - 4}{x}$ C) $\frac{2x + 4}{x}$ D) $\frac{x + 4}{3}$

Arifmetik progressiya

208. x va y arifmetik progressiyaning ketma-ket hadlari bo'lsa, progressiyaning ayrmasini toping.

$$\begin{cases} |2y + xy| = 3y \\ |x + 1| = 2 \quad (x > 0, y > 0). \\ |x^2 + y^2| = 17 \end{cases}$$

A) 3 B) -2 C) 2 D) -3

209. Agar arifmetik progressiyada $\begin{cases} a_1 + a_2 + a_3 + a_4 = 18 \\ a_4^2 - a_1^2 = 54 \end{cases}$ bo'lsa, ayirmani

toping. A) 1 B) 2 C) 3 D) 4

210. 12 ga karrali, 403 dan kata bo'limgan barcha natural sonlarning yig'indisini toping.

A) 6732 B) 6708 C) 6756 D) 6720

211. a_1, a_2, \dots, a_{20} arifmetik progressiyaning hadlari bo'lib $a_1 = x$,

$a_4 = y$ va $\begin{cases} x + y = 10 \\ |x + y| = 6 \end{cases}$ o'rilibolsa

$S_{20} = ?$ A) 42 B) 400 C) 210 D) 420

212. a_1, a_2, \dots, a_8 ketma-ketlikda ixtiyoriy uchta ketma-ket hadining yig'indisi 40 ga teng. Agar ketma-ketlikning uchunchi hadi 5 ga teng bo'lsa, birinchi va sakkizinchchi hadlarining yig'indisini toping?

A) 5 B) 10 C) 35 D) 37

213. a_1, a_2, \dots, a_8 ketma-ketlikda ixtiyoriy uchta ketma-ket hadining yig'indisi 30 ga teng. Agar ketma-ketlikning uchunchi hadi 7 ga teng bo'lsa, birinchi va sakkizinchchi hadlarining yig'indisini toping?

A) 7 B) 14 C) 23 D) 27

214. $f(n)$ soni n natural sonning raqamlari yig'indisiga teng bo'lsa, $f(1) + f(2) + f(3) + \dots + f(99)$ ni hisoblang.

A) 198 B) 500 C) 750 D) 900

215. Arifmetik progressiya n-hadi $a_n = -\frac{n-2}{5}$ ga teng. Progressiyaning ayrmasini toping.

A) -0,2 B) -0,5 C) -1 D) -2

Geometrik progressiya

216. Otasining yoshi o'g'linikidan 2 marta kata, qizining Yoshi esa $2x + 3 < 35$ tengsizlikning eng katta yechimi bo'lib, ota, o'g'il va qizning yoshi kamayuvchi geometrik

progressiyani tashkil qiladi. Ota va o'g'ilning yoshini toping. A) 64; 32

B) 60; 30 C) 45; 30 D) 40; 20

217. Geometrik progressiyada $5+15+45+\dots+1215$ yigindini hisoblang.

A) 1720 B) 1820 C) 1840 D) 1920

218. $\frac{b_3}{b_5} = 2 \frac{b_{10}}{b_{13}}$ geometrik progressiya mahrajini toping. A) $\frac{1}{2}$ B) $\frac{1}{4}$ C) 2 D) 4

219. $\frac{b_1 + b_2 + b_3}{b_1 + b_2} = \frac{7}{6}$ geometrik

progressiya mahrajini toping.

A) $-\frac{1}{2}$ va $\frac{1}{3}$ B) $\frac{1}{3}$ va $\frac{1}{2}$

C) $-\frac{1}{2}$ va $-\frac{1}{3}$ D) $-\frac{1}{3}$ va $\frac{1}{2}$

220. Geometrik progressiyada n -hadi

$b_n = \frac{\sqrt{3}}{4} 5^{n+2}$ ga teng. Progressiyaning mahrajini toping.

A) -5 B) 0,2 C) 0,5 D) 5

221. $\frac{S_6}{S_3} = 2\sqrt{2}$ geometrik

progressiyaning mahrajini toping.

A) $2 - \sqrt[3]{2}$ B) $\sqrt[3]{2\sqrt{2}}$

C) $\sqrt[3]{2\sqrt{2}} - 1$ D) $\sqrt[3]{2\sqrt{2}} - 1$

222. $x - \frac{x+1}{2} > \frac{x-3}{4} - \frac{x-2}{3}$

tengsizlikning eng kichik butun yechimi geometrik progressiyaning birinchi hadi bo'lib, geometrik progressiyaning maxraji 2 ga teng. S_4 ni hisoblang

A) 15 B) 14 C) 16 D) -16

223. $3, (5); x; 0, (8); \dots$ cheksiz

kamayuvchi musbat hadli geometrik progressiyaning yig'indisini toping.

A) 7,(1) B) 7,(5) C) 7,(7) D) 7,(3)

224. $A(2; 8), B(1; 6)$ va $C(3; 14)$

nuqtalardan o'tuvchi parabolaning koeffitsiyentlari o'suvchi geometrik progressiyaning dastlabki hadlari bo'lsa,

geometrik progressiyaning o'n birinchi hadini bo'lувчилар sonini toping.

A) 10 B) 11 C) 12 D) 13

225. O'suvchi arifmetik progressiyanin dastlabgi uchta hadi yig'indisi 21 ga teng. Bu hadlarga mos ravishda 1; 1; 5 qo'silsa, geometrik progressiya hosil bo'ladi. Shu geometrik progressiyaning dastlabgi 8 ta hadi yig'indisini toping.

A) 1012 B) 1016 C) 1020 D) 1024

226. $(a, 3, b)$ arifmetik progressiya, $(a, 2, b)$ geometrik progressiya bo'lsa, $a^2 + b^2$ ni toping.

A) 20 B) 22 C) 24 D) 28

Logarifmik

227. $\log_2 \left(\frac{3}{0, (4)} + \frac{3}{0, (6)} + \frac{3}{0, (8)} + 1, 375 \right)$ ni hisoblang.

A) 1 B) 2 C) 4 D) $\log_2 3$

228. $\log_2 81 + \log_3 9 + \log_3 3 + \dots$ ni hisoblang. A) 0 B) 95 C) 27 D) 8

229. $2^{1+\log_2 3} - 3^{\log_4 5} + 5^{\log_4 3} - 1^{\log_3 4}$ ifodaning qiymatini toping.

A) 1 B) 3 C) 5 D) 7

230. $4^{\log_8 27} - 7^{\log_8 3} + 3^{\log_8 7} - 1^{\log_8 8}$ ifodaning qiymatini toping.

A) 5 B) 8 C) 10 D) 12

231. Hisoblang: $\log_{25} 32 \cdot \log_{27} 625 \cdot \log_{128} 81$.

A) 1 B) $\frac{5}{42}$ C) $\frac{21}{40}$ D) $1\frac{19}{21}$

231. Hisoblang: $\log_6 (\sqrt{2 - \sqrt{3}} + \sqrt{2 + \sqrt{3}})$

A) $\frac{1}{2}$ B) 1 C) $\log_6 2$ D) $\log_6 \sqrt{3}$

232. Hisoblang: $\log_8 \left(\frac{1 + \sqrt{7}}{\sqrt{4 + \sqrt{7}}} - \frac{1 - \sqrt{5}}{\sqrt{3 - \sqrt{5}}} \right)$

A) $\frac{1}{2}$ B) 1 C) 0 D) -1,5

233. Agar $\lg 5 = a$ va $\lg 3 = b$ bo'lsa, $\log_{30} 8 = 8$ ni toping. A) $3(1-a)$

B) $\frac{3(1-a)}{1+b}$ C) $3(1-a)(1+b)$ D) $(1+b)$

- 234.** $x = 2 - \sqrt{3}$ bo'lsa, $4^{\log_2 \sqrt{x}} + \frac{1}{x}$ ifodaning qiymatini toping.
A) $2 + \sqrt{3}$ B) $2 - \sqrt{3}$ C) $2\sqrt{3}$ D) 4
- 235.** $a = 2\sqrt{3 + \sqrt{5}}$ bo'lsa, $7^{4\log_a 7 \cdot \log_{49} a}$ ifodaning qiymatini toping.
A) 1 B) 7 C) 343 D) 49
- 236.** $3^{\sqrt{2}(\log_{0,2} a + \log_5 a)}$ ifodaning qiymatini toping. A) $\sqrt{2}$ B) $\sqrt{3}$ C) 1 D) 2
- 237.** $(0,2)^{\frac{1}{2}\log_5 4 - \log_{25} 16}$ ni hisoblang
A) 1 B) 2 C) 4 D) $\sqrt{2}$
- 238.** $x = 15$ bo'lsa, $\frac{\lg(x^2 + 3x - 4)}{\lg(x-1)} - \log_{(x-1)}(x+4)$ ifodaning qiymatini toping.
A) 0 B) 0,5 C) 1 D) 2
- 239.** $a = 16$ bo'lsa, $\frac{25^{-1} + \log_2 a^{-1}}{5^{-1} - \log_4 a} - \frac{3}{a^{-0,5}}$ ifodaning qiymatlarini toping.
A) -9 B) -9,8 C) -10 D) -10,2
- 240.** $y = \log_{0,25} \frac{7x}{x^2 + 49}$ funksiyaning eng kichik qiymatini toping.
A) -1 B) $-\frac{1}{2}$ C) $\frac{1}{2}$ D) 1
- 241.** $y = \log_{1,5} \frac{-4x}{x^2 + 9}$ funksiyaning eng kichik qiymatini toping.
A) -1 B) $-\frac{3}{2}$ C) $\frac{3}{2}$ D) 1
- Logarifmik tenglamalar**
- 242.** $x^{\lg 5} \cdot 5^{-\lg x} = 1$ tenglamani yeching
A) $(0;1)$ B) $(0; +\infty)$
C) $\{1\} \cup (1; +\infty)$ D) $(-1;1)$
- 243.** $e^{\ln^2 x} + x^{\ln x} = 2e^4$ tenglamani yeching.
A) $\frac{1}{e^2}; e^2$ B) $\frac{1}{e}; e^2$ C) $\frac{1}{e^2}; e$ D) $\frac{1}{e}; e$
- 244.** $3^x + 2^{x \log_2 3} \cdot x = 0$ tenglama ildizlari ko'paytmasini toping.
A) -1 B) 0 C) 1 D) 2

- 245.** Tenglamani ildizlarini yig'indisini toping: $|\log_4(|x| + 3)| = |x|$.
A) 1 B) -1 C) 0 D) 2
- 246.** Tenglamani eng kichik yechimini toping: $(x+1)^{\log_2^3(x+1)} = 2$.
A) -1 B) -0,5 C) 0 D) 1
- 247.** $\log_3(5 - x^2)\sqrt[4]{3 - 2x - x^2} = 0$ tenglama ildizlari yig'indisini toping.
A) -4 B) -3 C) -2 D) -1
- 248.** $(3x - 8)\log_5(7x - 2x^2 - 5) = 0$ tenglama ildizlari ko'paytmasini toping.
A) 2,5 B) 2,6 C) 3 D) 5
- 249.** $\log_2(2\sqrt{x+5} + 5) + \log_{0,5}(-x - 0,5) = 1$ tenglamani butun yechimlari nechta.
A) 0 B) 1 C) 2 D) 3
- 250.** tenglama nechta butun yechimga ega? $8^{\log_3 x} \sqrt{4-x} + \log_4(x-2) = 8$
A) 0 B) 1 C) 2 D) 3
- 251.** $6^x = 0,25$ bo'lsa, $\sqrt{49^x - 10 \cdot 7^x + 25} + 7^x + 2,5$ ifodaning qiymatini toping.
A) $2 \cdot 7^x - 2,5$ B) $2 \cdot 7^x + 2,5$ C) 7,5 D) 5
- 252.** Tenglama necha butun o'lchamga ega? $\sqrt{2x - x^2} = 2 \cdot \ln|x-1|$
A) 3 B) 2 C) 1 D) 0
- 253.** $\lg(\lg x) + \lg(\lg x^3 - 2) = 0$ tenglamani yeching.
A) $\frac{1}{\sqrt[3]{10}}$; 10 B) 10 C) $\frac{1}{\sqrt[3]{10}}$ D) $\sqrt[3]{10}$; 10
- 254.** Ushbu $\begin{cases} 2,5x + y = 9 \\ x^2 + 2y = 12 \end{cases}$ tenglamalar sistemasini qanoatlantiruvchi nuqtalar toplamining nechasi $\log_y(3x^2 + 2x) = 2$ tenglamaning yechimi bo'la oladi?
A) 1 B) 2 C) 3 D) \emptyset

255. $(x^2 - 4) \log_3(x^2 - 2x + 2) = 0$ bo'lsa, $x + \log_3 x$ ni hisoblang.

- A) \emptyset B) $2 + \log_3 2$ va 1
C) $-2 - \log_3 2$ D) $2 + \log_3 2$

256. Agar $\log_2 x + \log_2 y = 2 \log_2 3$ tenglik o'rinli bo'lsa, $\log_{\sqrt[3]{xy}} 27$ ni hisoblang. A) 3 B) 3,5 C) 4 D) 4,5

257. $\frac{\log_3(5x - 6)}{\sqrt{10 - 3x}} = 2$ tenglama ildizlari yig'indisini toping.

- A) -1 B) 0 C) 1 D) 3

258. Tenglamaning ildizlari ko'paytmasini toping: $\sqrt{3 \log_2(-x)} - \log_2 \sqrt{x^2} = 0$

- A) 1 B) 8 C) 9 D) 12

259. Tenglamada x ni toping.

$$\log_2 x + \log_2 \sqrt{x} + \log_2 \sqrt[4]{x} + \dots + \log_2 \sqrt[n]{x} + \dots = 10$$

A) 8 B) 9 C) 25 D) 32

260. $\sqrt{2x - x^2} = 2 \cdot \ln|x - 1|$ tenglama nechta butun yechimga ega.

- A) 0 B) 1 C) 2 D) 3

261. Tenglamalar sistemasi nechta yechimga ega? $\begin{cases} x^y = 2^6 \\ \log_2 x = y - 1 \end{cases}$

- A) 3 B) 2 C) 0 D) 1

262. $\begin{cases} \log_y 2 = \frac{1}{2 \log_2 x} \\ y = -2 + 3|x| \end{cases}$ tenglamalar

sistemasi yechimlarini tog'ri chiziq bilan tutashtirishdan hosil bo'lgan shaklning yuzini toping.

- A) 7 B) 8 C) 9 D) 10

263. $p = \log_{1,4} 3$ bo'lsa,

$\frac{7^{2p} - 5^{2p}}{7^{2p} + 2 \cdot 7^p \cdot 5^p + 5^{2p}}$ ifodaning qiymatini toping. A) 0,5 B) 1 C) 1,5 D) 2

264. $\begin{cases} x^y = 2^6 \\ \log_2 x = y - 1 \end{cases}$ tenglama nechta yechimga ega?

- A) 0 B) 1 C) 2 D) 3

265. $\begin{cases} \sqrt[10]{2^x} \sqrt[5]{2^y} = \sqrt[5]{128} \\ \lg(x + y) = \lg 40 - \lg(x - y) \end{cases}$

tenglamalar sistemasi qanoatlantiruvchi x va y noma'lumlarning qiymatlari yig'indisini toping.

- A) 9 B) 10 C) 14 D) 49

266. $3^x + 2^{x \log_2 3} \cdot x = 0$ tenglama ildizlari ko'paytmasini toping.

- A) -1 B) 0 C) 1 D) 2

267. $A(\log_3 27; \ln e^2)$ va $B(x; y)$

nuqtalar berilgan va $\begin{cases} x + 1 = y \\ 2x - y = 3 \end{cases}$

bolsa, A va B nuqtalar orasidagi masofani toping.

- A) $\sqrt{2}$ B) $\sqrt{3}$ C) $\sqrt{5}$ D) $\sqrt{10}$

278. $|x + 5| - |x - 3| = 8$ tenglama o'rinli bo'lsa, $\log_{27}(12 - x)$ funksiyaning eng kata qiymatini toping.

- A) 1 B) ∞ C) 1 D) $\frac{2}{3}$

279. $\log_{\log_{\ln e^5} 5^{123}} x = 123$ tenglamaning ildizi x bolsa, uning oxirgi raqamining yarmini tiping.

- A) 2 B) 2,5 C) 3 D) 3,5

280. $\log_{x^2 - 1}(2x + 3x^2) = \log_{x^2 - 1}(x^3 - 2x)$ tenglamani yeching.

- A) 1 B) 3 C) 4 D) 5

281.

$\log_x 3 \cdot \log_3 5 \cdot \log_{3x} 3 = \log_{9x} 3 \cdot \log_9 25$ tenglamani yechimlari ko'paytmasini toping.

- A) 1 B) 3 C) $\frac{1}{\sqrt{3}}$ D) $\sqrt{3}$

282.

Agar $\log_x(6x - 8) = 2$ tenglamaning yechimlari o'suvchi geometrik pragressiyani dastlabki hadlari bo'lsa, geometrik pragressiya-ning o'ninchini hadini toping.

- A) $\frac{1}{256}$ B) 1024 C) 256 D) $\frac{1}{1024}$

283. Quydagi $\log_2 x = \sqrt{x}$ tenglama nechta yechimga ega? A) 2 ta B) 1 ta C) 3 ta D) yechimga ega emas

Logarifmik tengsizliklar

284. $\log_7(x-5)(x^2 - 19x + 88) < 0$ tengsizlikni yeching.
A) $(6; 8) \cup (11; \infty)$ B) $(5; 6) \cup (8; 11)$
C) $(-\infty; 5) \cup (6; 8)$ D) $(8; 11)$

285. $\log_7(x-5)(x^2 - 19x + 88) < 0$ tengsizlikni butun yechimlari yig'indisini toping.
A) 17 B) 19 C) 20 D) 21

286. $\log_7(x-5)(x^2 - 19x + 88) \geq 0$ tengsizlikni yeching. A) $[6; 8] \cup [11; \infty)$
B) $[6; 8]$ C) $[6; 11]$ D) $[11; \infty]$

287. $\log_3(4,5 - 2x)(12 + x - x^2) > 0$ tengsizlikni butun yechimlari yig'indisini toping.
A) -2 B) 2 C) -5 D) 5

288. $\log_3(4,5 - 2x)(12 + x - x^2) < 0$ tengsizlikni yeching.
A) $(1,75; 2,25)$ B) $(-\infty; -3)$
C) $(-\infty; -3) \cup (1,75; 2,25)$
D) $(-\infty; 1,75) \cup (2,25; \infty)$

289. Tengsizlikni yeching:
 $\log_2(x+3) \geq \log_{\frac{1}{2}}(x-4) + \log_2(2x^2 - 11x + 12)$
A) $(2; 6)$ B) $(2; 3)$
C) $(2; 3)$ D) $[4; 6)$

290. Tengsizlikni yeching:
 $\log_5(10 - 9x + 2x^2) - \log_{\sqrt{5}}(x-2) \geq 0.$
A) $[3; \infty)$ B) $(3; \infty)$ C) $(3; 8)$ D) $[3; 8)$

291. $\log_{\frac{1}{5}}(9 - x^2) - 2 \log(9 - x^2) - 8 \leq 0$ tengsizlikning eng katta butun yechimini toping.
A) -3 B) 0 C) 2 D) 3

292. Tengsizlikni yeching:
 $\log_2(x^2 - 6x + 8) - \log_{\sqrt{2}}(x-1) \geq 0$
A) $(1; 1,7]$ B) $(1; 1,5]$ C) $[1; 1,75]$ D) $(1; 1,75]$

293. $\sqrt[3]{x^{\log_3 \sqrt[3]{x}}} > 3$ tengsizlikning yechimi bo'lmaydigan eng katta natural sonni $\frac{1}{3}$ qismini hisoblang.

$$\text{A) } 8 \quad \text{B) } 9 \quad \text{C) } 10 \quad \text{D) } \frac{28}{3}$$

294. $2 \log_2(\sqrt{4x+5} - 1) > \log_2(\sqrt{4x+5} + 11)$ tengsizlikni yechimi bo'lmaydigan yechimlari yig'indisini toping.

$$\text{A) } 6 \quad \text{B) } 10 \quad \text{C) } 15 \quad \text{D) } 21$$

295. Tengsizlikni yeching.
 $\log_{\sqrt{3}}(2x-1) < \log_3(x^2 + 6x + 9)$

$$\text{A) } \left(\frac{5}{3}; 2\right) \quad \text{B) } \left(\frac{4}{3}; 3\right) \quad \text{C) } \left(\frac{1}{2}; 4\right) \quad \text{D) } \left(\frac{2}{3}; 2\right)$$

296. $\log_x \frac{10}{x} \geq \log_x \frac{1}{2}$ tengsizlikni butun yechimlari yig'indisini toping.

$$\text{A) } 144 \quad \text{B) } 209 \quad \text{C) } 210 \quad \text{D) } 231$$

297. $\log_{x^2-1}(x^4 - 4x^2 + 9) \geq 2$ tengsizlikni qanoatlantirvchi barcha butun sonlar ko'paytmasini toping.

$$\text{A) } -4 \quad \text{B) } -2 \quad \text{C) } 0 \quad \text{D) } 4$$

298. $\log_{x^2-1}(x^4 - 4x^2 + 9) \geq 2$ tengsizlikni qanoatlantirvchi barcha butun sonlar yig'indisini toping.

$$\text{A) } 0 \quad \text{B) } 2 \quad \text{C) } 4 \quad \text{D) } 4 + 2\sqrt{2}$$

299. $\log_2^4 x - \log_{0,5}^2 \frac{x^3}{8} + 9 \log_2 \frac{32}{x^2} < 4 \log_{0,5}^2 x$ tengsizlikning yechimi bo'imaydigan eng kichik natural sonni toping.

$$\text{A) } 8 \quad \text{B) } 2 \quad \text{C) } 9 \quad \text{D) } 1$$

300. $(4^{x+4} + 4^{-x})^{4 \log_2 x - \log_2(5x^3 + 6x^2)} < 1$ tengsizlikni eng kata va eng kichik butun yechimlari yig'indisining uchdan birini toping.

$$\text{A) } 2 \quad \text{B) } 3 \quad \text{C) } 5 \quad \text{D) } 6$$

301. $(21^{x+5} + 21^{x \cos 3\pi})^{4 \log_3(x+1) - \log_3(5x^3 + 21x^2 + 17x + 61)} < 1$ tengsizlikni butun yechimlari yig'indisini toping.

$$\text{A) } 2 \quad \text{B) } 3 \quad \text{C) } 5 \quad \text{D) } 6$$

302. $(5^{x+5} + 5^{-x})^{4 \log_3 x - \log_2(5x^3 + 21x^2)} < 1$

tengsizlikni yeching.

- A) (0;6) B) (1;5) C) (0;4) D) \emptyset

Triganametrya

302. $x = \frac{3\pi}{7}$, $y = \sin \frac{\pi}{6}$ va

$z = \operatorname{tg} \frac{5\pi}{7}$ sonlar uchun quydagি munosabatlardan qaysi biri o'rинli?

- A) $x > y > z$ B) $x > z > y$
C) $z > y > x$ D) $y > x > z$

303. $\alpha = 30^\circ$ $x = (\operatorname{tg}\alpha)^{\operatorname{tg}\alpha}$ $y = (\operatorname{tg}\alpha)^{\operatorname{ctg}\alpha}$

va $z = (\operatorname{ctg}\alpha)^{\operatorname{tg}\alpha}$ sonlar uchun quydagи munosabatlardan qaysi biri o'rинli?

- A) $x > y > z$ B) $x > z > y$
C) $z > y > x$ D) $y > x > z$

304. $\alpha = 7,5^\circ$, $a = (\operatorname{tg}\alpha)^{\operatorname{tg}\alpha}$ $b = (\operatorname{tg}\alpha)^{\operatorname{ctg}\alpha}$,
 $c = (\operatorname{ctg}\alpha)^{\operatorname{tg}\alpha}$, $d = (\operatorname{ctg}\alpha)^{\operatorname{ctg}\alpha}$ bo'lsa
quydagilardan qaysi biri o'rинli?

- A) $d > a > c > b$ B) $d > c > a > b$
C) $d > c > b > a$ D) $c > d > a > b$

305. Agar $\alpha \in \left(\frac{\pi}{4}; \frac{\pi}{2}\right)$ bo'lsa, quydagи shartlardan qaysi biri to'g'ri?

- A) $(\cos \alpha)^{\sin \alpha} < (\cos \alpha)^{\cos \alpha} < (\sin \alpha)^{\sin \alpha}$
B) $(\sin \alpha)^{\cos \alpha} < (\cos \alpha)^{\sin \alpha} < (\cos \alpha)^{\cos \alpha}$
C) $(\cos \alpha)^{\cos \alpha} < (\cos \alpha)^{\sin \alpha} < (\sin \alpha)^{\cos \alpha}$
D) $(\cos \alpha)^{\cos \alpha} < (\sin \alpha)^{\cos \alpha} < (\cos \alpha)^{\sin \alpha}$

306. Agar $\alpha = 31^\circ$ va $\beta = 270^\circ$ bo'lsa,
 $\sin \alpha \cdot \sin(\beta - \alpha) + \sin^2 \left(\frac{\beta}{2} - \alpha \right)$ ni hisoblang.

- A) $\frac{2 - \sqrt{2}}{4}$ B) 0,25 C) 0,5 D) 0,75

307. $\sin \left((-1)^n \frac{\pi}{2} \right) \cos \left((-1)^n \pi \right) - (-1)^n$ ni

- hisoblang. A) $2(-1)^{n+1}$ B) $2(-1)^n$
C) $(-1)^n$ D) $(-1)^{n+1}$

308. $\sin 80^\circ \sin 40^\circ \sin 20^\circ$ ni hisoblang.

- A) $\frac{\sqrt{2}}{4}$ B) $\frac{\sqrt{3}}{2}$ C) $\frac{\sqrt{3}}{8}$ D) $\frac{\sqrt{3}}{16}$

309. $\operatorname{tg} 10^\circ \operatorname{tg} 50^\circ \operatorname{tg} 70^\circ$ ni hisoblang.

- A) $\frac{\sqrt{2}}{4}$ B) $\frac{\sqrt{2}}{4}$ C) $\frac{\sqrt{3}}{3}$ D) $\sqrt{3}$

310. $\operatorname{tg} 80^\circ \operatorname{tg} 60^\circ \operatorname{tg} 40^\circ \operatorname{tg} 20^\circ$ ni hisoblang. A) 1 B) 3 C) $\frac{\sqrt{3}}{3}$ D) $\sqrt{3}$

311. Hisoblang:

$$(1 + \operatorname{tg} 8^\circ)(1 + \operatorname{tg} 9^\circ)(1 + \operatorname{tg} 36^\circ)(1 + \operatorname{tg} 37^\circ)$$

- A) 2 B) 4 C) 8 D) 16

312. $\frac{\sin 2\alpha - \operatorname{tg}\alpha}{\operatorname{tg}\alpha \cdot \cos 2\alpha}$ ifodani soddalashtiring.

- A) $1 + \operatorname{tg}\alpha$ B) $\operatorname{tg}\alpha$ C) 1 D) 2

$$\operatorname{cos}^2 \left(\frac{2\pi}{3} + 2\alpha \right) + \operatorname{cos}^2 \left(\frac{2\pi}{3} - 2\alpha \right) + \operatorname{cos}^2 2\alpha$$

ni soddalashtiring.

- A) $\operatorname{cos}^2 2\alpha$ B) 1,5 C) 0,5 D) 0,75

314. $\frac{1 + \operatorname{cos} 3\alpha + \operatorname{cos} 2\alpha + \operatorname{cos} \alpha}{2 \operatorname{cos}^2 \alpha + \operatorname{cos} \alpha - 1}$ ifodani soddalashtiring. A) 1 B) $2 \operatorname{cos} \alpha$
C) $\operatorname{cos} \alpha$ D) $2 \operatorname{sin} \alpha$

315. $\frac{\operatorname{sin} 10\alpha + \operatorname{sin} 6\alpha + \operatorname{sin} 2\alpha}{\operatorname{cos} 10\alpha + \operatorname{cos} 6\alpha + \operatorname{cos} 2\alpha}$ ni soddalashtiring. A) $\operatorname{sin} 10\alpha$ B) $\operatorname{tg} 6\alpha$
C) $\operatorname{cos} 2\alpha$ D) 2

316. Ifodani soddalashtiring.

$$\operatorname{cos}^4 4\alpha + \operatorname{sin} 8\alpha - \operatorname{sin}^4 4\alpha.$$

- A) $-\sqrt{2} \operatorname{sin}(4\alpha - 45^\circ)$

- B) $\sqrt{2} \operatorname{sin}(4\alpha - 45^\circ)$

- C) $-\sqrt{2} \operatorname{cos}(4\alpha - 45^\circ)$

- D) $\sqrt{2} \operatorname{cos}(4\alpha - 45^\circ)$

317. $\frac{\operatorname{cos} \left(\frac{3\pi}{2} - \alpha \right)}{\operatorname{cos} \left(\frac{3\pi}{2} - \alpha \right)} = x$, $\left(0 < \alpha < \frac{\pi}{2} \right)$

o'rинли bo'lib, $x^{9^x} = 3^x + 6$ tenglikni qanoatlantirsa, $\operatorname{sin} \alpha$ ni toping.

- A) $\frac{\sqrt{3}}{2}$ B) $\frac{\sqrt{2}}{2}$ C) $\frac{1}{2}$ D) 1

318. $\frac{2}{3} \cos 2\pi = \log_{3\sqrt{3}} \frac{1}{x}$ tenglamadan x ni toping.

- A) $\sqrt{3}$ B) $\frac{1}{3}$ C) $\frac{1}{\sqrt{3}}$ D) 3

$$\text{319. } \frac{\sqrt[3]{a^2} + 2\sqrt[3]{ab} + 4\sqrt[3]{b^2}}{\left(\sqrt[3]{a^4} - 8b\sqrt[3]{a}\right) : \sqrt[3]{ab}} \cdot \left(2 - \sqrt[3]{\frac{a}{b}}\right) = x$$

bo'lsa, $\sin(\arccot g x) = ?$

- A) 1 B) -1 C) $\frac{2\sqrt{2}}{4}$ D) $-\frac{\sqrt{2}}{2}$

320. $\cos(2 \arccos 0, (333))$ ni hisblang.

- A) $\frac{2}{9}$ B) $-\frac{4}{9}$ C) $\frac{2}{3}$ D) $-\frac{7}{9}$

321. $\cos(2 \arcsin 0, (66))$ ni hisblang.

- A) $\frac{7}{9}$ B) $\frac{1}{9}$ C) $-\frac{4}{9}$ D) $-\frac{2}{3}$

322. $\sqrt[4]{125^{3-2x}} = \frac{5}{\sqrt[4]{5}}$ bo'lsa, $\sin(\arctg 2x)$ ni hisoblang.

- A) $\frac{2}{\sqrt{5}}$ B) $-\frac{1}{\sqrt{5}}$ C) $\frac{1}{\sqrt{5}}$ D) $-\frac{2}{\sqrt{5}}$

323. Ifodaning eng kichik qiymatini toping: $\frac{1}{8} \cos 4\alpha + \sin^2 2\alpha$

- A) -0,125 B) 0,125 C) 0,5 D) 0,875

324. $y = \cos 2\pi + 4 \cos^4 x - 4 \cos^3 x$ funksiyaning eng kichik musbat davrini toping. A) 2π B) π C) $\frac{\pi}{2}$ D) $\frac{3\pi}{2}$

325. $y = \log_2 \cos \alpha$ funksiyaning aniqlanish sohasini toping.

- A) $\left(2n\pi; \frac{\pi}{2} + 2n\pi\right); n \in \mathbb{Z}$
 B) $\left(-\frac{\pi}{4} + 2n\pi; \frac{\pi}{4} - 2n\pi\right); n \in \mathbb{Z}$
 C) $\left(2n\pi; \frac{\pi}{4} + 2n\pi\right); n \in \mathbb{Z}$

- D) $\left(-\frac{\pi}{2} + 2n\pi; \frac{\pi}{2} + 2n\pi\right); n \in \mathbb{Z}$

326. $y = 2 \sin\left(2x + \frac{\pi}{4}\right)$ funksiya nechta natural qiymatlarni qabul qiladi.

- A) cheksiz ko'p B) 0 C) 2 D) 3

327. $y = 4 \cos^2 x + \sin^2 x$ funksiya butun qiymatlari yg'indisini toping.

- A) butun qiymatlar cheksiz
 B) butun qiymatlar mavjud emas
 C) 9 D) 10

- 428.** $y = 3 \sin^2 x + 3 \sin^2\left(\frac{2017\pi}{2} - x\right)$

funksiyaning qiymatlar sohasiga nechta butun son tegishli? A) cheksiz ko'p

- B) 0 C) 1 D) 3

429. $y = \sin x$ funksiya grafigi berilgaan bo'lib, uni parallel ko'chirish yordamida $y = \sin(x + a) + b$ funksiya frafigi hosil qilingan. Bunday parallel ko'chirishda koordinata boshi qanday nuqtaga ko'chadi?

- A) $N(a; -b)$

- B)** $N(-a; b)$ C) $N(-a; b)$ D) $N(a; b)$

430. $\arctg 3 + \arctg 2 + \arctg 1$ ni hisoblang. A) $\frac{3\pi}{2}$ **B)** π C) 2π D) $\frac{\pi}{2}$

Triganometrik tenglamalar

431. $1 + \cos^2 x = \sin^3 x + \cos^3 x$ tenglama $[-\pi; \pi]$ kesmada nechta yechimga ega?

- A) 1 ta B) 2 ta C) 3 ta D) 4 ta

432. Agar $\sin 2\alpha = \frac{1}{2}$ va $\alpha \in \left(\frac{\pi}{4}; \frac{\pi}{2}\right)$

bo'lsa, $\cos 3\alpha$ ni hisoblang.

- A) $-\frac{\sqrt{2}}{2}$ B) $\frac{\sqrt{3}}{2}$ C) $\frac{\sqrt{2}}{2}$ D) $-\frac{\sqrt{3}}{2}$

433. $\sin\left(\frac{\pi}{2} + (x+1)^2\right) = x^2 + 2x + 2$

tenglama ildizlari yig'indisini toping.

- A) 2 B) 1 C) 0 **D)** -1

434. Tenglamani yeching:

$$2 + \sin x = \frac{1}{1+x^2}$$

- A) \emptyset B) $-\frac{\pi}{2}$ C) 1 D) 0

435. Agar $\operatorname{tg}^2 \alpha = \frac{1}{6}$ va $\alpha \in \left(0; \frac{\pi}{2}\right)$

bo'lsa, $\cos^2 \alpha - \sin^2 \alpha$ ni hisoblang.

- A) $\frac{3}{7}$ B) $-\frac{1}{6}$ C) $\frac{5}{7}$ D) $-\frac{1}{7}$

436. Tenglamani yeching: $\cos 2x = \sin^2 x$

- A) $\pm \arccos \frac{1}{3} + 2\pi k, k \in \mathbb{Z}$
 B) $\pm \frac{1}{2} \arccos \frac{1}{3} + \pi k, k \in \mathbb{Z}$
 C) $\arcsin \frac{1}{3} + 2\pi k, k \in \mathbb{Z}$
 D) $\arccos \frac{2}{3} + 2\pi k, k \in \mathbb{Z}$

437. Tenglamani yeching:

$$0, (3) \cos^2 x - 0, (6) \sin x = 0, (1) - 0, (3) \sin^2 x$$

A) $\arccos 0, (3) + 2\pi k, k \in \mathbb{Z}$
 B) $\arccos 0, (6) + 2\pi k, k \in \mathbb{Z}$
 C) $(-1)^n \arcsin 0, (3) + \pi k, k \in \mathbb{Z}$
 D) $(-1)^n \arcsin 0, (6) + \pi k, k \in \mathbb{Z}$

438. Tengsizlikni yeching.

$$\operatorname{tg} \left(\pi + \frac{x}{3} \right) + 1 \geq 0.$$

- A) $\left[-\frac{3\pi}{4} + 3\pi k; \frac{3\pi}{2} + 3\pi k \right), k \in \mathbb{Z}$
 B) $\left(-\frac{3\pi}{4} + 3\pi k; \frac{3\pi}{4} + 2\pi k \right), k \in \mathbb{Z}$
 C) $\left[-\frac{3\pi}{4} + 3\pi k; \frac{3\pi}{4} + 3\pi k \right), k \in \mathbb{Z}$
 D) $\left[-\frac{3\pi}{4} + 2\pi k; \frac{3\pi}{2} + 2\pi k \right), k \in \mathbb{Z}$

439. Tenglama nechta yechimga ega?

$$\frac{\sqrt{5-x^2}}{x} \cdot \operatorname{tg} x = 0$$

- A) 3 B) 2 C) 1 D) 0

440. Agar $\operatorname{ctg}^2 \alpha = 1,5$ va $\alpha \in \left(0; \frac{\pi}{2}\right)$

bo'lsa, $\cos^2 \alpha - \sin^2 \alpha$ ni hisoblang.

- A) $\frac{1}{5}$ B) $\frac{1}{2}$ C) $\frac{1}{4}$ D) $-\frac{1}{5}$

441. $1 - \sin 3x = \cos^2 2x - \cos \left(\frac{\pi}{2} + x \right)$

tenglamani yeching. A) $2\pi n, n \in \mathbb{Z}$

B) $\arcsin \frac{1}{\sqrt{3}} + 2\pi n, n \in \mathbb{Z}$

C) $\frac{\pi n}{2}, n \in \mathbb{Z}$ D) $\pm \frac{\pi}{6} + 2\pi n, n \in \mathbb{Z}$

442. Tenglamani yeching.

$$\sqrt{3} \operatorname{ctg} \left(5x + \frac{\pi}{3} \right) = -3$$

A) $\frac{\pi}{10} + \frac{\pi k}{5}, k \in \mathbb{Z}$ B) $-\frac{\pi}{2} + \frac{\pi k}{5}, k \in \mathbb{Z}$

C) $-\frac{\pi}{6} + \pi k, k \in \mathbb{Z}$ D) $-\frac{\pi}{10} + \frac{\pi k}{5}, k \in \mathbb{Z}$

443. Agar $\operatorname{tg}^2 \alpha = 3$ va bo'lsa, $\cos^2 \alpha - \sin^2 \alpha$ ni hisoblang.

- A) $-\frac{1}{3}$ B) $\frac{1}{2}$ C) $-\frac{1}{4}$ D) $-\frac{1}{2}$

444. Tenglamani yeching:

$$1 + \operatorname{tg} x + \operatorname{tg}^2 x + \operatorname{tg}^3 x + \dots = \frac{\cos \left(-\frac{5\pi}{3} \right)}{\sqrt{1 - \operatorname{tg}^2 x}}$$

A) $\pm \frac{\pi}{4} + \pi n; \operatorname{arctg} 0, 6 + \pi n, n \in \mathbb{Z}$

B) $\frac{\pi}{4} + \pi n; \operatorname{arctg} 0, 6 + \pi n, n \in \mathbb{Z}$

C) $-\operatorname{arctg} 0, 6 + \pi n, n \in \mathbb{Z}$

D) $\frac{\pi}{4} + \pi n; -\operatorname{arctg} 0, 6 + \pi n, n \in \mathbb{Z}$

445. $\sin^3 x + (1 - \sin x) \cdot \cos 2x =$

$$= 2\operatorname{tg} \frac{\pi}{8} + 2\operatorname{tg}^3 \frac{\pi}{8} + 2\operatorname{tg}^5 \frac{\pi}{8} + 2\operatorname{tg}^7 \frac{\pi}{8} + \dots$$

tenglama $[0; 2\pi]$ kesmada nechta yechimga ega?

- A) 5 B) 6 C) 7 D) 8

446. $(\sqrt[3]{7})^{\frac{3}{\log_3 7}} = \operatorname{tg}x$ bo'lsa, $\left| \operatorname{tg}x - \left(\frac{1}{27} \right)^{\operatorname{ctgx}-1} \right|$

ni hisoblang. $0 < x < \frac{\pi}{2}$

- A) -6 B) -5 C) 6 D) 5

447. Tenglama nechta yechimga ega?

$$\frac{\sqrt{5-x^2}}{x} \cdot \operatorname{tg}x = 0$$

- A) 0 B) 1 C) 2 D) 3

448. Tenglama nechta yechimga ega?

$$\left(\frac{1}{\sin x} - 1 \right) \cdot \sqrt{4-x^2} = 0$$

- A) 0 B) 1 C) 2 D) 3

449. Tenglama nechta yechimga ega?

$$\left(1 - \frac{1}{\sin^2 x} \right) \cdot \sqrt{9-x^2} = 0$$

- A) 1 B) 2 C) 3 D) 4

450. Tenglama nechta yechimga ega?

$$(2 \cos x - 1) \cdot \sqrt{9-5x-4x^2} = 0$$

- A) 2 B) 3 C) 4 D) 5

451. Tenglama nechta yechimga ega?

$$(3 - \operatorname{ctg}^2 x) \cdot \sqrt{-8-17x-2x^2} = 0$$

- A) 4 B) 5 C) 6 D) 7

452. Tenglama ildizlari yig'indisini toping: $(\operatorname{tg}\pi x + 1) \cdot \sqrt{2+3x-2x^2} = 0$

- A) 1,5 B) 2,25 C) 3,75 D) 4,25

453. Tenglama ildizlari yig'indisini toping: $\operatorname{ctg}2\pi x \cdot \sqrt[4]{3-2x-5x^2} = 0$

- A) 0 B) -0,4 C) -0,15 D) -1,15

454. Tenglama nechta yechimga ega?

$$\log_3(9-x^2) \cdot \operatorname{tg}x = 0$$

- A) 2 B) 3 C) 4 D) 5

455. $2^{\sqrt{x-3}} = \cos(x^2 - 9)$ Tenglamaning ildizlari yig'indisini toping.

- A) -3 B) 0 C) 1 D) 3

456. $5^{-\sin^2(10\pi x)} = 4x^2 - 12x + 10$ tenglama ildizlari yig'indisini toping.

- A) 0 B) 1 C) 1,5 D) 2,5

457. Tenglamani yeching:

$$2\operatorname{tg}^2 x + 3\operatorname{tg}x - 2 = 0$$

A) $\operatorname{arctg} \frac{1}{2} + 2\pi n, n \in \mathbb{Z}$

B) $-\operatorname{arctg} \frac{1}{2} + 2\pi n, n \in \mathbb{Z}$

C) $\operatorname{arctg} \frac{1}{2} + \pi n, n \in \mathbb{Z}; -\operatorname{arctg} 2 + \pi n, n \in \mathbb{Z}$

D) $\operatorname{arctg} \frac{1}{2} + \pi n, n \in \mathbb{Z}$

458. Quydag'i tenglamaning yechimini

toping. $\left| \cos\left(\frac{3\pi}{2} + x\right) \right| = -\frac{2\operatorname{tg} \frac{x}{2}}{1 + \operatorname{tg}^2 \frac{x}{2}}$

A) $2\pi n < x < \pi + 2\pi n, n \in \mathbb{Z}$

B) $(-\pi + 2\pi n; 2\pi n), n \in \mathbb{Z}$

C) $[-\pi + 2\pi n; 2\pi n], n \in \mathbb{Z}$

D) $2\pi n \leq x \leq \pi + 2\pi n, n \in \mathbb{Z}$

459. $\begin{cases} \sin x + \cos y = 0 \\ \sin^2 x + \cos^2 y = \frac{1}{2} \end{cases}$

sistemani yeching.

A) $\left(\pm \frac{\pi}{4} + \pi n; \pm \frac{\pi}{4} + \pi k \right) n, k \in \mathbb{Z}$

B) $\left(\pm \frac{\pi}{6} + \pi n; \pm \frac{\pi}{3} + \pi k \right) n, k \in \mathbb{Z}$

C) $\left(\pm \frac{\pi}{3} + \pi n; \pm \frac{\pi}{6} + \pi k \right) n, k \in \mathbb{Z}$

D) $\left(\pm \frac{\pi}{6} + \pi n; \pm \frac{2\pi}{3} + \pi k \right) n, k \in \mathbb{Z}$

460. $\begin{cases} \frac{\sin \frac{\pi}{2}}{a} + \frac{4}{b} = \frac{1}{2} \\ \frac{2 \cos 2\pi}{a} + \frac{3}{b} = \frac{4}{5} \end{cases}$ bo'lsa, $b - ?$

A) 17 B) 25 C) 50 D) 134

461. $\begin{cases} x - y = \frac{\pi}{6} \\ \frac{\sin x}{\cos x} = 2 \end{cases}$ sistemani yeching.

- A) $\left(\frac{\pi}{2} + 2\pi n; \frac{\pi}{3} + 2\pi n\right), n \in \mathbb{Z}$
 B) $\left(\frac{\pi}{2} + \pi n; \frac{\pi}{3} + \pi n\right), n \in \mathbb{Z}$
 C) $\left(\frac{\pi}{3} + \pi n; \frac{\pi}{2} + \pi n\right), n \in \mathbb{Z}$
 D) $\left(\frac{\pi}{3} + 2\pi n; \frac{\pi}{6} + 2\pi n\right), n \in \mathbb{Z}$

462. Tenglamaning ildizlari yig'indisini toping. $\arccos\left(\frac{x^2}{4} + x\right) = \frac{2\pi}{3}$

- A) -8 B) -8 C) 2 D) 4

463. Tenglamaning ildizlari yig'indisini toping. $\arccos\left(\frac{x^2}{3} - \frac{x}{2}\right) = \frac{\pi}{6}$

- A) -2,5 B) -1,5 C) 1,5 D) 4

$$\sin\left(\frac{\pi}{2} + (x+1)^2\right) = x^2 + 2x + 2$$

464. Tenglamaning ildizlari yig'indisini toping. A) -1 B) 0 C) 1 D) 2

465. Arifmetik progressiyaning birinchi hadi -1 ga va ayirmasi $\frac{1}{2}$ ga teng bo'lsa, uning nechta hadi $\sin x = a_n$ shartni qanoatlantiradi.

- A) 1 B) 2 C) 4 D) 5

466. Tenglama nechta yechimga ega?

$$(1 - 2 \sin^2 x) \cdot \log_7(18 + x - 4x^2) = 0$$

A) 3 B) 4 C) 5 D) 6

$$467. 2 \log_{\sin 2x} \cos^2 x - 4 + 5 \log_{\cos^2 x} \sin 2x = 0$$

Tenglamani yeching.

- A) $\text{arcctg} 2 + 2\pi n, n \in \mathbb{Z}$
 B) $\text{arcctg} \sqrt{2} + 2\pi n, n \in \mathbb{Z}$
 C) $-\text{arcctg} 2 + 2\pi n, n \in \mathbb{Z}$
 D) $\text{arcctg} 2 + 2\pi n, n \in \mathbb{Z}$

468. $|\sin x| - x^2 = 0$ tenglamani nechta yechimi bor? A) 2 B) 3 C) 4 D) 5

469. Tenglama ildizlari yig'indisini toping: $\arcsin(x^2 - 5x) = \arccos\left(-\frac{\sqrt{3}}{2}\right)$

- A) 5 B) 2,5 C) 10 D) -4

470. $\arcsin^2 x + \arccos^2 x = \frac{5\pi^2}{32}$ tenglamani yeching.

- A) $x_1 = \cos \frac{\pi}{16}; x_1 = \cos \frac{5\pi}{8}$
 B) $x_1 = \cos \frac{3\pi}{8}; x_1 = \cos \frac{\pi}{8}$
 C) $x = \cos \frac{3\pi}{64}$ D) $x = 1$

471. Tenglamani yeching.

$$2 \arctg(x^2 - 5x + 7) = \frac{\pi}{2}$$

A) 3; 4 B) 5; 6 C) 2; 3 D) 1; 6

472. $0 < \alpha < \beta < \pi, \text{ctg}(\alpha + \beta) = 0$ va bo'lsa, $\tg(\alpha - \beta) = -\frac{1}{\sqrt{3}}$ bo'lsa, $\frac{\sin \alpha}{\cos \beta}$ ni hisoblang.

- A) 1 B) -1 C) 0 D) $\frac{1}{\sqrt{3}}$

473. Tenglamani yeching

$$\log_x \sin\left(\frac{\pi}{2} + x\right) \cdot \log_{1/2} x = 1$$

A) $\frac{\pi}{3} + 2\pi n, n \in \mathbb{N}$

B) $\frac{\pi}{3} + \pi n, n \in \mathbb{N}$

C) $\frac{\pi}{3}; \pm \frac{\pi}{3} + 2\pi n, n \in \mathbb{N}$

D) $\frac{\pi}{3}; \pm \frac{\pi}{3} + \pi n, n \in \mathbb{N}$

474. $(1 - 2 \sin^2 x) \cdot \log_7(18 + x - 4x^2) = 0$

tenglama nechta yechimga ega?

- A) 3 B) 4 C) 5 D) 6

$$475. \left(\sqrt{3 + 2\sqrt{2}}\right)^{\sin x} + \left(\sqrt{3 - 2\sqrt{2}}\right)^{\sin x} = \frac{10}{3}$$

tenglamani yeching. A) 0 B) \emptyset

C) $\pm \frac{\pi}{6} + \pi n$ D) $\frac{\pi}{2} + \pi n$

- 476.** $1 + \{x\} = \cos 3x$ tenglamani yeching, bunda $\{x\} = x$ ning kasr qismi.
 A) $x = 2\pi$ B) $x = 0$ C) $x = 1$ D) $x = -1$

Triganametrik tengsizliklar

- 477.** $\sin 2x + 9 \cos^2 x - 1 \leq 0$ tengsizlik x ning qanday qiymatlarida o'rini?
 $(x \in [0; 2\pi])$ A) $[\arctg 2; \pi]$
 B) $[\arctg 4; \pi - \arctg 2]$
 C) $[\pi + \arctg 4; 2\pi - \arctg 2]$
 D) $[\arctg 4; \pi - \arctg 2] \cup [\pi + \arctg 4; 2\pi - \arctg 2]$

- 478.** $2 \sin^2 x + 3 \sin x > 0$ tengsizlikning $[0; 2\pi]$ kesmadagi yechimlari to'plamini toping. A) $(0; \pi]$ B) $(0; \pi)$
 C) $[0; \pi]$ D) $\left[0; \frac{\pi}{2}\right] \cup \left[\frac{3\pi}{2}; 2\pi\right]$

- 479.** $\sin 6x \cdot \cos 2x < \sin 5x \cdot \cos 3x$ tengsizlikni yeching.
 A) $\left(-\frac{\pi}{6} + \frac{2n\pi}{3}; \frac{\pi}{6} + \frac{2n\pi}{3}\right); n \in \mathbb{Z}$
 B) $\left(n\pi; \frac{\pi}{6} + n\pi\right) \cup \left(\frac{\pi}{2} + n\pi; \frac{5\pi}{6} + n\pi\right); n \in \mathbb{Z}$
 C) $\left(\frac{\pi}{6} + n\pi; \frac{\pi}{2} + n\pi\right) \cup \left(\frac{5\pi}{6} + n\pi; \pi + n\pi\right); n \in \mathbb{Z}$
 D) $\left(\frac{\pi}{6} + \frac{2n\pi}{3}; \frac{\pi}{2} + \frac{2n\pi}{3}\right); n \in \mathbb{Z}$

- 480.** $\cos 0.2x - \sqrt{3} \sin 0.2x < 0$ tengsizlikni yeching.

A) $\left(\frac{5\pi}{6} + 2\pi n; \frac{35\pi}{6} + 2\pi n\right)$
 B) $\left(\frac{5\pi}{6} + 10\pi n; \frac{35\pi}{6} + 10\pi n\right)$
 C) $\left(\frac{5\pi}{3} + 2\pi n; \frac{35\pi}{3} + 2\pi n\right)$
 D) $\left(\frac{5\pi}{3} + 10\pi n; \frac{35\pi}{3} + 10\pi n\right)$

- 481.** $\sin 3x + \sqrt{3} \cos 3x \geq 0$ tengsizlikni yeching.

A) $\left[-\frac{\pi}{9} + \frac{\pi n}{3}; \frac{2\pi}{9} + \frac{\pi n}{3}\right], k \in \mathbb{Z}$
 B) $\left[-\frac{\pi}{9} + 2\pi n; \frac{2\pi}{9} + 2\pi n\right], k \in \mathbb{Z}$
 C) $\left[-\frac{\pi}{9} + \pi n; \frac{2\pi}{9} + \pi n\right], k \in \mathbb{Z}$
 D) $\left[-\frac{\pi}{9} + \frac{2\pi n}{3}; \frac{2\pi}{9} + \frac{2\pi n}{3}\right], k \in \mathbb{Z}$

482. $\operatorname{tg} x + \operatorname{tg} \left(\frac{\pi}{4} + x\right) < -2$

triganametrik tengsizlikni yeching.

A) $\left(-\frac{\pi}{2} + n\pi; -\frac{\pi}{3} + n\pi\right) \cup \left(\frac{\pi}{4} + n\pi; \frac{\pi}{3} + n\pi\right); n \in \mathbb{Z}$
 B) $\left(-\frac{\pi}{3} + n\pi; \frac{\pi}{4} + n\pi\right) \cup \left(\frac{\pi}{3} + n\pi; \frac{\pi}{2} + n\pi\right); n \in \mathbb{Z}$
 C) $\left(-\infty; -\frac{\pi}{3} + n\pi\right) \cup \left(\frac{\pi}{4} + n\pi; \frac{\pi}{3} + n\pi\right); n \in \mathbb{Z}$
 D) $\left(-\frac{\pi}{6} + n\pi; \frac{\pi}{4} + n\pi\right) \cup \left(\frac{\pi}{3} + n\pi; \frac{\pi}{2} + n\pi\right); n \in \mathbb{Z}$

- 483.** $\operatorname{tg}^3 x + \operatorname{tg}^2 x > 1 + \operatorname{tg} x$ tengsizlikni

- yeching. A) $\left(-\frac{\pi}{2} + \pi n; \frac{\pi}{2} + 2\pi n\right); n \in \mathbb{Z}$
 B) $\left(\frac{\pi}{4} + \pi n; \frac{\pi}{2} + \pi n\right), n \in \mathbb{Z}$
 C) $\left(\frac{\pi}{4} + 2\pi n; \frac{\pi}{2} + 2\pi n\right), n \in \mathbb{Z}$
 D) $\left(-\frac{\pi}{2} + \pi n; \frac{\pi}{2} + \pi n\right), n \in \mathbb{Z}$

484. $\frac{2}{|x-4|} \leq \sin^2 x + \sin^2 \left(\frac{\pi}{2} - x\right)$

- tengsizlikni qanoatlantirmaydigan x ning barcha natural qiymatlari o'rta arifmetigini toping.

A) 0 B) 3 C) 4 D) ∞

- 485.** $\arccos \frac{x}{2} < \arccos x$ tengsizlikni yeching. A) $[-1; 1]$ B) $(0; 1]$

C) $(0;1)$ D) $[-1;0)$

486. $0,2^{\cos 2x} - 25^{-\cos^2 x} < 4 \cdot (125)^{-0,5}$

tengsizlikni yeching.

- A) $\left(-\frac{\pi}{3} + 2\pi n; \frac{\pi}{3} + 2\pi n\right), n \in \mathbb{Z}$
- B) $\left(-\frac{\pi}{3} + \pi n; \frac{\pi}{3} + \pi n\right), n \in \mathbb{Z}$
- C) $\left(-\frac{\pi}{6} + 2\pi n; \frac{\pi}{6} + 2\pi n\right), n \in \mathbb{Z}$
- D) $\left(-\frac{\pi}{6} + \pi n; \frac{\pi}{6} + \pi n\right), n \in \mathbb{Z}$

Hosila

487. $F(x) = x^5 - 0,25x^4 + 1,5x^3 + \cos 3x + 7$ funksiyaning hosilasini toping.

- A) $f(x) = 5x^4 + x^3 - 4,5x^2 - 3 \sin 3x$
- B) $f(x) = x^4 - x^3 - 4,5x^2 + 3 \sin 3x$
- C) $f(x) = x^4 + x^3 - 4,5x^2 - 3 \sin 3x$
- D) $f(x) = 5x^4 - x^3 + 4,5x^2 - 3 \sin 3x$

488. $F(x) = \frac{1}{18}x^6 - \frac{1}{15}x^5 + e^{3x} - \cos \frac{x}{3} + 6$ funksiyaning hosilasini toping.

- A) $f(x) = \frac{1}{3}x^5 - \frac{1}{3}x^4 + 3e^{3x} + \frac{1}{3} \sin \frac{x}{3}$
- B) $f(x) = x^5 + x^4 - 3e^{3x} - \cos \frac{x}{3}$
- C) $f(x) = x^5 - x^4 + 3e^{3x} + 3 \cos \frac{x}{3}$
- D) $f(x) = \frac{1}{3}x^5 - \frac{1}{3}x^4 + 3e^{3x} - \frac{1}{3} \cos \frac{x}{3}$

489. $F(x) = 0,11x^4 + 0,7x^3 + 0,5x^2 - \sin 0,8x + e^{0,5x}$ funksiyani hosilasini toping.

- A) $f(x) = 0,44x^3 - 2,1x^2 + x - 0,8 \cos 0,8x + 0,5e^{0,5x}$
- B) $f(x) = 0,44x^3 - 2,1x^2 + x + 0,8 \cos 0,8x + 0,5e^{0,5x}$
- C) $f(x) = 0,11x^3 - 0,7x^2 + 0,5x - \cos 0,8x + e^{0,5x}$
- D) $f(x) = 0,11x - 0,7x^2 + 0,5x + \cos 0,8x + e^{0,5x}$

490. $y = 2x^3 - 6x^2 + 29$ funksiyaning $x = -2$ nuqtadagi hosilasining qiymatini toping. A) 43 B) 44 C) 42 D) 41

491. $f(x) = \operatorname{tg} x \cdot \sin x \cdot \operatorname{ctg} x \cdot \cos x$

bo'lsa, $f'(\frac{\pi}{2})$ ni toping.

- A) 1 B) -1 C) $\frac{1}{2}$ D) $-\frac{1}{2}$

492. $f(x) = \cos\left(\frac{\pi}{4} \cdot \operatorname{tg} \frac{\pi x}{4}\right)$ bo'lsa,

$f'(1)$ ni toping. A) $\frac{-\pi^2 \sqrt{2}}{16}$

- B) $\frac{-\pi^2 \sqrt{2}}{8}$ C) $\frac{\pi^2 \sqrt{2}}{8}$ D) $\frac{\pi^2 \sqrt{2}}{4}$

493.

$y = \log_3 (\sin^2 3x + \cos^2 3x)$ funksiyaning

$x = \frac{1}{2}$ nuqtadagi hosilasining qiymatini toping.

- A) 0 B) 1 C) $-\log_3 2$ D) $\log_3 2$

494. $y = \log_5 (\sin^2 x + \cos^2 x)$

funksiyaning $x = \frac{1}{2}$ nuqtadagi ikkinchi tartibli hosilasining qiymatini toping.

- A) 0 B) 1 C) $-\log_5 2$ D) $\log_5 2$

495. $f(x+2) = e^x \cdot g(x^2 + 1)$ va

$g(1) = 5$ bo'lsa, $f'(2)$ ni toping.

- A) 2 B) 3 C) 4 D) 5

496. $f(x) = 3^{2x^2-1}$ bo'lsa, $f'(a) = 4 \cdot f(a)$ tenglamani yeching.

- A) 3 B) e C) $\ln \frac{1}{3}$ D) $\log_3 e$

497. $f(x) = \ln(e^x - xe^x)$ bo'lsa, $f'(2)$

ni toping. A) 1 B) 2 C) $\ln 2$ D) e

498. $y = e^x \cdot \ln x$ bo'lsa, $y'' - y'$ ni

toping. A) $-e^x \left(\frac{x}{x-1}\right)$ B) $e^x \left(\frac{x-1}{x^2}\right)$

- C) $e^x + x^x \ln x$ D) $\frac{e^x}{x^2}$

499. $y = \log_2 (\arctg 2x + \operatorname{arcctg} 2x)$

funksiyaning $x = \frac{1}{2}$ nuqtadagi hosilasining qiymatini toping.

- A) 0 B) 1 C) $-\log_2 2$ D) $\log_2 3$

500. $f(x) = \ln(\sin(x+1))$ bo'lsa,

$f'\left(\frac{\pi-2}{2}\right)$ ni toping. A) mavjud emas
B) 0 C) $\operatorname{ctg} 1$ D) $\operatorname{tg} 1$

501. $\sin 2x = y, y = \log_3\left(\left(\frac{3x^2}{2} + 2x + 8\right)^2\right)$

bolsa, $\operatorname{tg} x$ ning $(0; 2\pi)$ orliqagi yechimini toping.

- A) -1 B) $\frac{1}{\sqrt{3}}$ C) $\frac{\sqrt{2}}{2}$ D) 1

502. $y = 11 \cos 3x + 3 \cos 11x$

funksiyani hosilasini toping.

- A) $66 \sin 4x \cdot \sin 7x$ B) $66 \sin 4x \cdot \cos 7x$
C) $66 \cos 4x \cdot \cos 7x$ D) $-66 \cos 4x \cdot \sin 7x$

503. $y = 11 \cos 4x + 2 \cos 22x$

funksiyani hosilasini toping.

- A) $88 \sin 9x \cdot \sin 13x$ B) $88 \sin 9x \cdot \cos 13x$
C) $88 \cos 9x \cdot \cos 13x$ D) $-88 \cos 9x \cdot \sin 13x$

504. $y = 3 \cos 2x - \cos 6x$ funksiyani hosilasini toping.

- A) $-12 \cos 2x \cdot \sin 4x$ B)
12 $\sin 2x \cdot \cos 4x$ C) 12 $\cos 2x \cdot \cos 4x$ D)
12 $\sin 2x \cdot \sin 4x$

505. $y = 2 \cos 2x + \cos 4x$ funksiyani hosilasini toping.

- A) $8 \sin 3x \cdot \sin x$ B) $-8 \cos x \cdot \sin 3x$
C) $8 \cos 3x \cdot \cos x$ D) $8 \sin x \cdot \cos x$

506. $y = 2 \cos 6x - \cos 12x$ funksiyani hosilasini toping.

- A) $24 \sin 3x \cdot \sin 9x$ B) $-24 \cos 3x \cdot \sin 9x$
C) $24 \cos 3x \cdot \cos 9x$ D) $24 \sin 3x \cdot \cos 9x$

507. $y = 3 \sin 7x - \sin 21x$ funksiya hosilasini toping.

- A) $-42 \cos 7x \cdot \sin 14x$ B) $42 \sin 7x \cdot \cos 14x$
C) $42 \sin 7x \cdot \sin 14x$ D) $42 \cos 7x \cdot \cos 14x$

508. $F(x) = 7 \sin 5x + 5 \sin 7x - 12$ funksiya hosilasini toping.

- A) $70 \cos x \cdot \cos 6x$ B) $70 \sin 6x \cdot \sin x$

- C) $35 \sin x \cdot \sin 6x$ D) $35 \cos x \cdot \cos 6x$

509. Agar $f(x) = 2^x \cdot 2x$ bo'lsa, $f'(x) > 0$ tengsizlikni yeching.

- A) $(-\infty; \log_2 e)$ B) $(-\log_2 e; \infty)$
C) $(-\log_2 e; e)$ D) $(-2 \log_2 e; \infty)$

510. $3^{tgy} > (4,5x^2 + 2x)^2$ tengsizlikni

yeching. A) $\left[\arctg 2 + \pi n; \frac{\pi}{2} + \pi n \right], n \in \mathbb{Z}$

B) $\left(-\frac{\pi}{2} + \pi n; \arctg 2 + \pi n \right), n \in \mathbb{Z}$

C) $\left[\arctg 2 + \pi n; \frac{\pi}{2} + \pi n \right], n \in \mathbb{Z}$

D) $\left(\arctg 2 + \pi n; \frac{\pi}{2} + \pi n \right), n \in \mathbb{Z}$

511. $f(x) = \arcsin x$ bolsa, $f'(x)$ ning aniqlanish sohasini toping. A) $[-1; 1]$
B) $(-1; 1)$ C) $(-\infty; \infty)$ D) $(-\infty; -1) \cup (1; \infty)$

512. $f(x) = (\sin x)^{\cos x}$ bo'lsa, $f'\left(\frac{5\pi}{6}\right)$

ni toping.

A) $\frac{1-\sqrt{3}}{2}$ C) $\left(\frac{\ln 2+3}{3}\right)(\sqrt{2})^{-\sqrt{3}}$

B) $\frac{\ln 2}{3}$ D) $\left(\frac{\ln 2-3}{3}\right)(\sqrt{2})^{\sqrt{3}}$

513. $f(x) = e^{\sqrt{x^2-3x-4}}$ bo'lsa, $f'(8)$ ni

toping. A) e^4 C) $\frac{4}{2 \ln 5}$ B) $\frac{5e^4}{6}$ D) $\frac{13e^6}{12}$

514. $f(x) = \frac{x^3}{3} - x^2 - 35x + 2$ funksiya uchun $f'(x) = 0$ bo'lsa, x ni toping.

- A) 5 va 7 B) -7 va 5
C) -5 va 7 D) -7 va -5

515. $f(x) = e^x \cdot \log_x e$ bo'lsa, $f'(e) = ?$

- A) $e^e - e^{e-1}$ B) e^{e^2-1} C) 0 D) 1

516. $f(x) = \ln(\sin(x+1))$ bo'lsa,

$f'\left(\frac{\pi-2}{2}\right)$ ni toping. A) mavjud emas

B) 0 C) $\operatorname{ctg} 1$ D) $\operatorname{tg} 1$

517. $f(x) = (\sin x)^{\cos x}$ bo'lsa, $f'\left(\frac{5\pi}{6}\right)$

ni toping. A) $\frac{\ln 2}{3}$ B) $\frac{1-\sqrt{3}}{2}$

C) $\left(\frac{\ln 2-3}{2}\right)(\sqrt{2})^{\sqrt{3}}$ D) $\left(\frac{\ln 2+3}{2}\right)(\sqrt{2})^{-\sqrt{3}}$

518. Agar $f(x) = 3^x \cdot x$ bo'lsa, $f'(x) = 0$ tenglamani yeching.

A) 0 B) $\log_3 e$ C) $-\log_3 e$ D) 0

519. $f(x) = \arccos(\cos x)$ bo'lsa,

$f'\left(\frac{\pi}{2}\right)$ ni toping.

A) -1 B) 0 C) 1 D) $\frac{\pi}{2}$

520. $2\cos^2 x + 5\sin x - 4 = z$ tenglamanning $f(x) = 3x^2 - 6x$, $f'(1) = z$ shartlar o'rini bo'lqandagi yechimini toping. A) $\frac{\pi}{6} + \pi n, n \in \mathbb{Z}$

B) $(-1)^n \frac{\pi}{6} + \pi n, n \in \mathbb{Z}$

C) $\frac{\pi}{2} + 2\pi n, n \in \mathbb{Z}$

D) $(-1)^{n+1} \frac{\pi}{6} + \pi n, n \in \mathbb{Z}$

521. Agar $f(x) = \frac{1}{3}x^3 - 2x^2 + 5x$ funksiya uchun $f'''(x) = f'(x)$ tenglik o'rini bo'lsa, tenglamaning ildizlari yig'indisini toping.

A) 1 B) 3 C) 4 D) 5

522. $f(x) = 3 - 2x^2$ funksiya berilgan bo'lsa, $\sqrt{x+2} > f''(x)$ tengsizlikni eching. A) $(-\infty; \infty)$ B) $[-2; \infty)$
C) $(-2; \infty)$ D) \emptyset

523. $f(x) = \arcsin x$ funksiya berilgan bo'lsa, $|x-1| \geq f'(0)$ tengsizlikni eching. A) $[0; 2]$ B) $[2; \infty]$
C) $(-\infty; 0] \cup [2; \infty)$ D) $\{0\}$

Hosilaning tabiqlari

524. $g(x) = \frac{1}{3}x^3 - \frac{7}{2}x^2 + 10x$ funksiyaning ekstremum nuqtalari arfimetik progressiyaning ketma-ket hadlari bo'lib, $a_1 = x_{\max}$, $a_2 = x_{\min}$ bo'lsa, arfimetik progressiyaning beshinchi hadini toping.

A) 3 B) 5 C) 6 D) 14

525. $y = f(x)$ funksiya maksimum nuqtasi x_0 bo'lsin. U holda qaysi tenglik x_0 ning qandaydir atrofidagi barcha x lar uchun o'rini?

A) $f(x) \leq f(x_0)$ B) $f(x) \geq f(x_0)$

C) $f(x) < f(x_0)$ D) $f(x) > f(x_0)$

526. $y = f(x)$ funksiya D to'plamda quydan chegaralangan bo'lsin. U holda qaysi munosanat ixtiyorli $x \in D$ uchun o'rini?

A) biror K musbat haqiqiy soni uchun $|f(x)| < K$

B) biror K soni uchun $f(x) < K$

C) biror K haqiqiy son uchun $f(x) > K$

D) biror K musbat haqiqiy soni uchun $|f(x)| > K$

Urunma tenglamasi

527. $y = x^2 + 3x + 4$ funksiyaning grafigiga absissasi 2 ga teng bo'lgan nuqtadan o'tkazilgan urinma Oy o'qning musbat yonalishi bilan hosil qilgan burchagining sinusini toping.

A) $\frac{3}{\sqrt{50}}$ B) $\frac{7}{\sqrt{50}}$ C) $\frac{9}{\sqrt{50}}$ D) $\frac{1}{\sqrt{50}}$

528. $y = \frac{2}{3}x^3 - \frac{3}{2}x^2 + \frac{1}{2}x + \frac{1}{3}$

funksiyaning $x = 1$ nuqtadagi urunma tenglamasini toping.

A) $y = \frac{1+2x}{2}$ B) $y = \frac{1-2x}{2}$

C) $y = \frac{1-3x}{2}$ D) $y = \frac{1+3x}{2}$

Boshlang'ich funksiya

529. $f(x) = 22 \sin 5x \cdot \sin 6x$ uchun boshlang'ich funksiyani toping.

- A) $11 \cos x - \cos 11x + C$
- B) $-11 \cos x - \cos 11x + C$
- C) $11 \sin x + \sin 11x + C$
- D) $11 \sin x - \sin 11x + C$

530. $f(x) = 54 \sin 9x \cdot \cos 18x$ uchun boshlang'ich funksiyani toping.

- A) $3 \cos 9x - \cos 27x + C$
- B) $-3 \cos 9x - \cos 27x - C$
- C) $3 \sin x + \sin 27x + C$
- D) $3 \sin 9x - \sin 27x + C$

531. $f(x) = 16 \sin 3x \cdot \cos 5x$ uchun boshlang'ich funksiyani toping.

- A) $4 \cos 2x - \cos 8x + C$
- B) $-4 \cos x - \cos 8x + C$
- C) $4 \sin 8x + \sin 8x + C$
- D) $4 \sin 2x - \sin 8x + C$

532. $f(x) = 18 \sin 5x \cdot \cos 4x$ uchun boshlang'ich funksiyani toping.

- A) $-9 \cos x - \cos 9x + C$
- B) $9 \cos x - \cos 9x + C$
- C) $9 \sin x - \sin 9x + C$
- D) $9 \sin x + \sin 9x + C$

533. $f(x) = 24 \sin 5x \cdot \cos 7x$ uchun boshlang'ich funksiyani toping.

- A) $-6 \cos 2x - \cos 12x + C$
- B) $6 \cos 2x - \cos 12x + C$
- C) $6 \sin 2x + \sin 12x + C$
- D) $6 \sin 2x - \sin 12x + C$

534. $f(x) = 14 \sin 4x \cdot \cos 3x$ uchun boshlang'ich funksiyani toping.

- A) $-\cos 7x - 7 \cos x + C$
- B) $7 \cos x - \cos 7x + C$
- C) $7 \sin x + \sin 7x + C$
- D) $7 \sin x - \sin 7x + C$

535. $f(x) = 70 \cos x \cdot \cos 6x$ uchun boshlang'ich funksiyani toping.

- A) $7 \cos 5x - 5 \sin 7x + C$
- B) $-7 \cos 5x - 5 \cos 7x + C$
- C) $7 \cos 5x - 5 \cos 7x + C$
- D) $7 \sin 5x + 5 \sin 7x + C$

536. $f(x) = 72 \cos 7x \cdot \sin 11x$ uchun boshlang'ich funksiyani toping.

- A) $-9 \cos 4x - 2 \cos 18x + C$
- B) $9 \cos 4x - 2 \cos 18x + C$
- C) $9 \sin 4x + 2 \sin 18x + C$
- D) $9 \sin 4x - 2 \sin 18x + C$

537. Boshlang'ich funksiyani toping:

$$f(x) = \sin\left(\frac{x}{4} + 5\right).$$

- A) $F(x) = \frac{1}{4} \cos\left(\frac{x}{4} + 5\right) + C$
- B) $F(x) = 5 \cos\left(\frac{x}{4} + 5\right) + C$
- C) $F(x) = 4 \cos\left(\frac{x}{4} + 5\right) + C$
- D) $F(x) = -4 \cos\left(\frac{x}{4} + 5\right) + C$

538. Ushbu $f(x) = \frac{2x+1}{x^2+x-2}$

funksiyaning boshlang'ich funksiyasini toping.

- A) $\ln|x+2| + C$
- B) $\frac{2x^2}{(x-1)(x+2)} + C$
- C) $\ln(x-1) + C$
- D) $\ln(|x-1| \cdot |x+2|) + C$

539. Ushbu $f(x) = \frac{2x+3}{x^2+3x+2}$

funksiyaning boshlang'ich funksiyasini toping.

- A) $\ln|x+2| + C$
- B) $\ln(|x+1| \cdot |x+2|) + C$
- C) $\ln(x+1) + C$
- D) $\ln(|x-1| \cdot |x-2|) + C$

540. Ushbu $f(x) = \frac{2x+4}{x^2+4x+3}$

funksiyaning boshlang'ich funksiyasini toping.

- A) $\frac{2x^2}{(x+1)(x+2)^2} + C$
- B) $\ln(|x+3| \cdot |x+1|) + C$
- C) $\ln(x+2) + C$
- D) $\ln|x+1| + C$

541. $y = \frac{1}{\sqrt[3]{x^2}} + x^3\sqrt{x^2} - 5^x + 2$

funksiyaning boshlang'ich funksiyasini toping.

- A) $3\sqrt[3]{x} + \frac{3}{8}x^2\sqrt[3]{x^2} - 5^x + 2x + C$
- B) $3\sqrt[3]{x} + \frac{3}{8}x^2\sqrt[3]{x^2} - \frac{5^x}{\ln 5} + 2x + C$
- C) $3\sqrt[3]{x} + \frac{3}{8}x^2\sqrt[3]{x^2} - 5^x \ln 5 + 2x + C$
- D) $\sqrt[3]{x} - 3x^2\sqrt[3]{x^2} - 5x + C$

Integral

542. $\int \frac{dx}{x\sqrt{\ln x}}$ hisoblang

- A) $\sqrt{\ln x} + c$
- B) $\frac{1}{\sqrt{\ln x}} + c$
- C) $2\sqrt{\ln x} + c$
- D) $\frac{2}{\sqrt{\ln x}} + c$

543. $\int \frac{\cos \frac{1}{x^2}}{x} dx$ ni hisoblang.

- A) $-\sin \frac{1}{x} + c$
- B) $\sin \frac{1}{x} + c$
- C) $2 \sin \frac{1}{x} + c$
- D) $\sin \frac{1}{x^2} + c$

544. $\int (x^2 + \sqrt[3]{x} - 7) dx$ ni hisoblang.

- A) $\frac{x^3}{3} + \frac{x\sqrt[3]{x}}{4} - 7x + C$
- B) $x^3 + \frac{3x\sqrt[3]{x}}{4} - 7x + C$
- C) $\frac{x^3}{3} + \frac{4x\sqrt[3]{x}}{3} - \frac{7x}{3} + C$
- D) $x^3 + \frac{\sqrt[3]{x}}{4} - 7x + C$

545. $\int_0^2 \sqrt{x^2 - 2x + 1} dx$ hisoblang.

- A) 0
- B) $\frac{1}{2}$
- C) 1
- D) 2

546. $\int_0^1 2x^3 dx$ ni hisoblang.

- A) $\frac{1}{4}$
- B) $\frac{1}{2}$
- C) $\frac{2}{3}$
- D) $\frac{3}{5}$

547. $\int_0^2 \sqrt{x^2 - 2x + 1} dx$ hisoblang.

- A) 0
- B) 1
- C) 2
- D) $\frac{1}{2}$

548. $f(x) = x^2 - x - 6$ tenglamaning ildizlari x_1 va x_2 $\int_{x_2}^{x_1} |y - 1| dy$ aniq integralni hisoblang ($x_1 > x_2$)

- A) 4,5
- B) 5,5
- C) 6,5
- D) 7,5

549. $a = -4$ bo'lsa,

$$\int_a^{a+1} (\ln(\sin^2 3x + \cos^2 3x) + 1) dx$$
 aniq

integralni hisoblang.

- A) $\frac{\ln 2 - 1}{3}$
- B) $\sqrt{2}$
- C) $2\sqrt{2}$
- D) 1

550. $a = 1$ bo'lsa,

$$\int_a^{a+1} (\ln(\sin^2 2x + \cos^2 2x) + 1) dx$$
 aniq

integralni hisoblang.

- A) $\frac{\ln 2 - 1}{3}$
- B) $\sqrt{2}$
- C) $2\sqrt{2}$
- D) 1

551. $a > 0$ ning qanday qiymatlarida tengsizlik o'rinni?

$$\int_{-a}^a e^x dx > \frac{3}{2}$$

- A) $(-\infty; \infty)$
- B) $(\ln 2; \infty)$
- C) $\left(-\ln \frac{1}{2}; \ln 2\right)$
- D) $\left(\ln \frac{1}{2}; \ln 2\right)$

552. $a < 0$ ning qanday qiymatlarida tengsizlik o'rinni?

$$\int_a^0 (3^{-2x} - 2 \cdot 3^{-x}) dx > 0;$$

- A) $(-\infty; -1]$

$$B) [-1; \infty)$$

- C) $\{-1\}$

- D) $(-\infty; 0)$

553. $\sin x > \int_0^1 (x^2 + 3x) dx$ tengsizlikni yeching.

A) \emptyset

B)

$$\left(\arcsin \frac{11}{6} + 2\pi n; \pi - \arcsin \frac{11}{6} + 2\pi n \right), n \in \mathbb{Z}$$

$$\left(\arcsin \frac{6}{11} + 2\pi n; \pi - \arcsin \frac{6}{11} + 2\pi n \right), n \in \mathbb{Z}$$

D)

$$\left(\arcsin \frac{11}{6} + \pi n; \pi - \arcsin \frac{11}{6} + \pi n \right), n \in \mathbb{Z}$$

4. $\int_1^e \frac{\sin(\ln x)}{x} dx$ hisoblang.

- A) $-\cos 1$ B) $1 - \cos 1$
 C) $1 - \sin 1$ D) $\cos 1$

555. $\int_1^2 (a^2 + (4 - 4a)x + 4x^3) dx \leq 12$

tengsizlikni qanoatlantiruvchi a ning barcha qiymatlarini toping. A) $(-\infty; \infty)$

- B) $(-\infty; 3]$ C) $[3; \infty)$ D) $\{3\}$

Yuzani integral orqali hisoblash

556. $y = \frac{1}{\sqrt{x}}$; $y = 0$; $x = 1$; $x = 9$

chiziqlar bilan chegaralangan shakilning yuzini toping.

- A) 4 B) 4,5 C) 6 D) 8

GEOMETRYA

Planametrya

Burchaklar vamasofalar

557. C nuqta – AB kesmaning o’rtasi. AC va BC kesmalarda mos ravishda M , N nuqtalar shunday olinganki, $AM : MC = CN : NB$ munosabat bajariladi. Agar AB kesma uzunligi 36 ga teng bo’lsa, MN kesma uzunligini toping.

- A) 9 B) 12 C) 18 D) 24

558. 60° li burchak ichida uning tomonlaridan a va b masofada turgan nuqtadan burchakning uchigacha bo’lgan masofani toping.

- A) $\frac{2}{3} \sqrt{2(a^2 + ab + b^2)}$
 B) $\frac{2}{3} \sqrt{3(a^2 + ab + b^2)}$
 C) $\frac{1}{3} \sqrt{3(a^2 + ab + b^2)}$
 D) $\frac{2}{3} \sqrt{a^2 + ab + b^2}$

Uchburchaklar

559. To’g’ri burchakli uchburchakning bir burchagi 38° ga teng bo’lsa, to’g’ri burchak uchidan tushurilgan bissektrissa va balandlik orasidagi burchakni toping.

- A) 7° B) 10° C) 14° D) 17°

560. Uchburchak ABC da $\angle A = 75^\circ$, $2h_c = AB$ bo’lsa, C burchak kattaligini toping.

- A) 75° B) 60° C) 45° D) 30°

561. Uchburchakning bir tamoni 21 sm, qolgan ikki tamoni 3:8 nisbatda bo’lib ular orasidagi burchak 60° ga teng bo’lsa, ularning peremetrini toping. A) 48 B) 65 C) 54 D) 43

562. To’g’ri burchakli uchburchakka ichki va tashqi chizilgan aylanalarining radiyuslari mos ravishda 2 sm va 5 sm ga teng. Agar atlanalar markazi orasidagi masofa 5 ga teng bo’lsa, uchburchakning katetlarini toping.

- A) 3 va 4 B) 6 va 8
 C) 5 va 12 D) 8 va 15

563. Katta katetni diametr qilib, unga yarim aylana tashqi chizilgan. Kichik kateti $30sm$, to’g’ri burchak uchini yarim aylan gipatenuzani kesgan nuqta bilan tutashtiruvchi vatar $24sm$, yarim aylan uzunligini toping. A) 40π

- B) 30π C) 20π D) 10π

564. Agar uchburchakning medianalari 12, 15 va 21 sm ga teng bo’lsa, uning yuzini toping.

- A) 48 B) $48\sqrt{3}$ C) $48\sqrt{2}$ D) $48\sqrt{5}$

565. ABC uchburchakda $\angle C = 90^\circ$, $AC = 2\sqrt{3}$, $BK = 1$, CK uchburchak baladligi bo'lsa, $\angle ACK$ ni toping.

- A) 15° B) 30° C) 60° D) 45°

566. Uchburchakni bir tomoni 21 sm, qolgan ikki tomoni $3:8$ nisbatda bo'lib ular orasidagi burchak 60° ga teng bo'lsa, uning peremetrini toping.

- A) 48 B) 65 C) 54 D) 43

567. ABC o'tkir burchakli uchburchak berilgan. Uchburchakning BC tomonini C uchidan boshlab hisoblaganda $2:3$ nisbatda bo'luvchi AN to'g'ri chiziq o'tkazilgan. Agar ABN uchburchakning yuzi 15 ga teng bo'lsa, ABC uchburchakning yuzini toping.

- A) 18 B) 25 C) 28 D) 30

568. ABC uchburchakning yuzi 30 sm^2 . AC tomonida olingan D nuqta uni $AD : DC = 2 : 3$ nisbatda bo'ladi. BC tomonga tushurilgan DE perpendikulyar uzunligi 3 sm bo'lsa, BC ni toping.

- A) 6 B) 9 C) 12 D) 15

569. ABC uchburchakda $AB = 10$, $BC = 17$, $AC = 21$ sm. Uchburchak ichidan olingan N nuqta AC va BC tomonlargacha bo'lgan masofalar 2 va 4 sm bo'lsa, N nuqtadan AB tomongacha bo'lgan masofani toping.

- A) $2,9$ B) 3 C) $5,8$ D) 6

570. Uchburchak ABC da AC asosga DE parallell to'g'ri chiziq o'tkazilgan $S_{ABC} = 8$, $S_{DEC} = 2$ bo'lsa, $DE : AC$ ni toping.

- A) $1:1$ B) $1:2$ C) $1:3$ D) $1:4$

571. To'g'ri burchakli uchburchakning gipatenuzasi c , o'tkir burchaklaridanbiri α ga teng. Shu uchburchakka ichki chizilgan aylana radiyusini toping.

$$A) c\sqrt{2} \sin \frac{a}{2} \sin(45^\circ - \frac{a}{2})$$

$$B) c\sqrt{2} \cos \frac{a}{2} \cos(45^\circ - \frac{a}{2})$$

$$C) c\sqrt{2} \cos \frac{a}{2} \cos(45^\circ - \frac{a}{2})$$

$$D) c\sqrt{2} \cos \frac{a}{2} \sin(45^\circ - \frac{a}{2})$$

572. To'g'ri burchakli uchburchakda to'g'ri burchaging bissektrisasi gipatenuzani a va b ga teng kesmalarga bo'ladi. Uchburchak yuzini toping.

$$A) \frac{ab(a+b)^2}{a^2 + b^2} \quad B) \frac{ab(a+b)^2}{2(a^2 + b^2)}$$

$$C) \frac{2ab(a+b)^2}{a^2 + b^2} \quad D) \frac{ab(a^2 + b^2)}{2(a+b)^2}$$

573. Teng yonli uchburchakka ichki chizilgan aylana yon tomonini urinish nuqtasida uchidan boshlab hisoblaganda 8 va 4 ga teng kesmalarga ajratsa, uchburchakning peremetrini toping.

- A) 42 B) 32 C) 36 D) 40

574. Muntazam uchburchakning tomoni a . Uchburchak tomonlari o'rtalarini tutashtiririb muntazam uchburchaklar hosil qilindi. Ichma ich joylshgan uchburchaklar yuzalari yig'indisini toping.

$$A) \frac{a^2\sqrt{3}}{6}$$

$$B) \frac{a^2\sqrt{3}}{4} \quad C) \frac{a^2\sqrt{3}}{2} \quad D) \frac{a^2\sqrt{3}}{3}$$

575. Asosi m va asosidagi burchagi α bo'lgan teng yonli uchburchakning peremetiring toping.

$$A) mtga \cdot ctg \frac{\alpha}{2} \quad B) mtg\alpha \cdot \tg \frac{a}{2}$$

$$C) mctga \cdot \tg \frac{a}{2} \quad D) mctga \cdot ctg \frac{a}{2}$$

576. Agar teng yonli uchburchakning asosi b ga, yon tamoniga tushirilgan balandligi h ga teng bo'lsa, uning yuzini toping.

$$A) \frac{b^2h}{2\sqrt{b^2 - h^2}} \quad B) \frac{b^2h}{\sqrt{b^2 - h^2}}$$

$$C) \frac{2b^2h}{\sqrt{b^2 - h^2}} \quad D) \frac{b^2h}{4\sqrt{b^2 - h^2}}$$

577. ABC uchburchakning A burchagi 2α ga teng va $AC=b$, $AB=c$ bo'lsa A burchak bissektrisasini toping.

- A) $\frac{2bc \cos \alpha}{b+c}$ B) $\frac{2bc \cos 2\alpha}{b+c}$
 C) $\frac{2bc \cos \frac{\alpha}{2}}{b+c}$ D) $\frac{bc \cos \alpha}{b+c}$

578. Asosi a ga, yon tomoni b ga teng bo'lgan teng yonli uchburchakning yon tomoniga tushurilgan mediana uzunligini toping. A) $m_b = \frac{1}{2} \sqrt{2a^2 + b^2}$

- B) $m_b = \frac{1}{2} \sqrt{a^2 + 2b^2}$
 C) $m_b = \frac{a}{2} \sqrt{a^2 + 2b^2}$
 D) $m_b = \frac{a}{2} \sqrt{2a^2 + b^2}$

579. Katetlari yig'indisi l ga, to'g'ri burchagi uchidan tushurilgan balandligi h ga teng bo'lsa, uning yuzini toping.

- A) $h(\sqrt{h^2 + l^2} - h)$ B) $\frac{1}{2}(\sqrt{h^2 + l^2} - h)$
 C) $\frac{h}{2}(\sqrt{h^2 + l^2} - h)$ D) $2h(\sqrt{h^2 + l^2} - h)$

580. To'g'ri burchakli uchburchakning to'g'ri burchagi uchidan tushurilgan balandlik h ga, katetlarning gipotenuzadagi proyeksiyalarining ayirmasi l ga teng. Uchburchak yuzini toping.

- A) $h\sqrt{(l^2 + 4h^2)}$ B) $\frac{1}{2}h\sqrt{l^2 + 4h^2}$
 C) $\frac{h}{2}\sqrt{l^2 + h^2}$ D) $\frac{1}{2}h\sqrt{l^2 + 2h^2}$

581. ABC uchburchakning A burchagi 2α ga teng va $AC=b$ $AB=c$ bo'lsa, A burchak bissektrissasini toping.

- A) $\frac{2bc \cos \alpha}{b+c}$ B) $\frac{2bc \cos 2\alpha}{b+c}$
 C) $\frac{2bc \cos \frac{\alpha}{2}}{b+c}$ D) $\frac{2bc \cos \alpha}{b+c}$

582. Teng yonli uchburchak peremetri p ga, asosidagi burchagi α ga teng, shu uchburchakka ichki chizilgan aylananing radyusini toping.

- A) $\frac{p \sin 2\alpha}{4 \cos^4 \frac{\alpha}{2}}$ B) $\frac{p \sin 2\alpha}{2 \cos^4 \frac{\alpha}{2}}$
 C) $\frac{p \sin 2\alpha}{\cos^4 \frac{\alpha}{2}}$ D) $\frac{p \sin 2\alpha}{8 \cos^4 \frac{\alpha}{2}}$

583. Muntazam uchburchakning tomoni a . Unung markazidan $\frac{a}{3}$ radius bilan aylana ichki chizilgan. Uchburchakning aylanadan tashqaridagi qismini toping.

- A) $\frac{a^2}{9}(3\sqrt{3} - \pi)$ B) $\frac{a^2}{6}(3\sqrt{3} - \pi)$
 C) $\frac{a^2}{27}(3\sqrt{3} - \pi)$ D) $\frac{a^2}{18}(3\sqrt{3} - \pi)$

584. Uchburchakning tomonlari $a = 13, b = 14, c = 15$. Bulardan ikkitasi (a va b) markazi uchunchi tomonda yotuvchi doiraga urunma bo'ladi. Doira radiusini toping.

- A) $6\frac{1}{9}$ B) $6\frac{4}{9}$ C) $6\frac{1}{3}$ D) $6\frac{2}{9}$

585. To'g'ri bur chakli uchburchakda o'tkir burchakning medianalari uzunliklari $6\sqrt{5}$ va $8\sqrt{5}$ ga teng. Uchburchakning gipotenuzasini toping.

- A) 17 B) 18 C) 19 D) 20

586. Teng ABC yonli uchburchakning AC asosida D nuqta shunday olinganki $AD = 38, DC = 40$ tengliklar bajariladi. ABD va DBC uchburchakdagagi ichki chizilgan aylanalar BD to'g'ri chiziqqamos ravishda M va N nuqtalar urinadilar. MN kesma uzunligini toping.

- A) 1 B) $\sqrt{2}$ C) $\sqrt{3}$ D) 2

587. Tamonlari $60; 36; 48$ bo'lgan uchburchakni tamonlariga uringuncha sharga perpendikular kiritiladi. Agar sharning radiusi 13 ga teng bo'lsa, uchburchak tekisligi shorning markazidan qancha masofada joylashgan. A) 3 B) 4 C) 5 D) 6

588. Yarim perimetri 12 ga gipotenuzasi 10 ga teng bo'lgan To'g'ri burchakli uchburchakka ichki chizilgan aylana radiusini toping.

$$A) 2,5 \quad B) 1,5 \quad C) 2 \quad D) 3$$

589. Asosi 7 sm ga yon tamoni 9 sm ga teng bo'lgan teng yonli uchburchakning yon tamoniga tushirilgan bissektrisa uzunligini (sm) toping.

$$A) 6,5 \quad B) 6\frac{9}{16} \quad C) 6\frac{15}{16} \quad D) 6\frac{3}{4}$$

590. To'g'ri burchakli uchburchakning peremetri 30 sm , uning ikki qo'shni tomonlariga chizilgan kvadratlar yuzalarining yig'indisi 137 sm^2 . To'g'ri to'rtburchakning yuzini toping.

$$A) 26 \quad B) 44 \quad C) 36 \quad D) 50$$

591. Teng yonli uchburchakning asosiga va yon tomoniga tuchurilgan baladliklari 10 va 12 sm bo'lsa, asos uzunligini toping.

$$A) 15 \quad B) 16 \quad C) 20 \quad D) 24$$

592. Teng yonli uchburchakning yon tamoni 20 ga , asosi 24 ga teng. Bu uchburchak medianalarining kesishish nuqtasi bilan bissektrissalarining kesishish nuqtasi orasidagi masofani toping. A) $\frac{2}{3}$ B) $\frac{1}{3}$ C) $\frac{3}{2}$ D) 1

593. To'g'ri burchakli uchburchakda to'g'ri burchakning bissektrissasi gipatenuzani a va b ga teng kesmalarga bo'lindi. Uchburchakning yuzini toping.

$$A) \frac{ab(a+b)^2}{a^2+b^2} \quad B) \frac{ab(a+b)^2}{2(a^2+b^2)}$$

$$C) \frac{2ab(a+b)^2}{a^2+b^2} \quad D) \frac{ab(a^2+b^2)}{2(a+b)^2}$$

594. Tomoni a ga teng bo'lgan teng tomonli uchburchak ichiga uchburchakning tomonlariga va birbiriga urunuvchi uchta teng doira joylashtirilgan. O'zaro urunuvchi doiralar yoylaridan hosil bo'lgan egri chiziqli uchburchakning yuzini toping.

$$A) \frac{a^2(2-\sqrt{3})(2\sqrt{3}-\pi)}{16}$$

$$B) \frac{a^2(2-\sqrt{3})(2\sqrt{3}-\pi)}{8}$$

$$C) \frac{a^2(2-\sqrt{3})(2\sqrt{3}-\pi)}{32}$$

$$D) \frac{a^2(2-\sqrt{3})(2\sqrt{3}-\pi)}{64}$$

595. To'g'ri burchakli uchburchakning gipotenuzasini unga ichki chizilgan aylananing urinish nuqtasi a va b ga kesmalarga teng bo'ladi. Agar biror kateti c ga teng bo'lsa, uchburchak yizini toping.

$$A) c\sqrt{(a+b)^2+c^2} \quad B) c\sqrt{(a+b)^2-c^2}$$

$$C) \frac{c}{2}\sqrt{(a+b)^2-c^2} \quad D) \frac{c}{2}\sqrt{(a+b)^2+c^2}$$

596. To'g'ri burchakli uchburchakning gipotenuzasi c , o'tkir burchaklaridan biri α ga teng. Shu uchburchakka ichki chizilgan aylana radyuzini toping.

$$A) c\sqrt{2}\sin\frac{\alpha}{2}\cos\left(45^\circ - \frac{\alpha}{2}\right)$$

$$B) c\sqrt{2}\sin\frac{\alpha}{2}\sin\left(45^\circ - \frac{\alpha}{2}\right)$$

$$C) c\sqrt{2}\cos\frac{\alpha}{2}\cos\left(45^\circ - \frac{\alpha}{2}\right)$$

$$D) c\sqrt{2}\cos\frac{\alpha}{2}\sin\left(45^\circ - \frac{\alpha}{2}\right)$$

597. Teng yonli uchburchakning yon tomonni 20 ga, asosi 24 ga teng. Bu uchburchak medianalarining kesishish nuqtasi bilan bissektriaksiyalarining kesishish nuqtasi orasidagi masfani toping. A) 1 B) $\frac{2}{3}$ C) $\frac{1}{3}$ D) $\frac{3}{2}$

598. To'g'ri burchakli uchburchakning gipatenuzasining unga ichki chizilgan aylananing urunish nuqtasi a va b kesmalarga bo'ladi. Agar biror kateti c ga teng bo'lsa, uchburchak yuzining toping.

- A) $c\sqrt{(a+b)^2 + c^2}$ B) $c\sqrt{(a+b)^2 - c^2}$
C) $\frac{c}{2}\sqrt{(a+b)^2 + c^2}$ D) $\frac{c}{2}\sqrt{(a+b)^2 - c^2}$

599. To'g'ri burchakli uchburchakka yarim aylana ichki chizilgan, uning diametric gipotenuzada yotadi, markazi esa gipotenzani 15 sm va 20 sm li kesmalarga bo'ladi. Yarim aylananing katetlar bilan urunish nuqtalari orasidagi yoyning uzunligini toping.

- A) 12 B) 13 C) 14 D) 15

600. Agar uchburchakning medianalari 12, 15 va 21 sm ga teng bo'lsa, uning yuzini toping.

- A) 48 B) $48\sqrt{3}$ C) $48\sqrt{2}$ D) $48\sqrt{5}$

601. Agar teng yonli uchburchakning asosi b ga, yon tomoniga tushurilgan baladligi h ga teng bo'lsa, uning yuzini toping.

- A) $\frac{b^2 h}{\sqrt{b^2 - h^2}}$ B) $\frac{b^2 h}{2\sqrt{b^2 - h^2}}$
C) $\frac{2b^2 h}{\sqrt{b^2 - h^2}}$ D) $\frac{b^2 h}{4\sqrt{b^2 - h^2}}$

602. Uchburchakning tamonlari $\log_2 a, \log_2 b$ va $\log_2 c$. a, b va c geometrik progressiyaning ketma-ket hadlari bo'lib, ularga mos ravishda 1, -4 va -17 sonlar qo'shilsa arifmetik progressiyaning dastlabki hadlari hosil bo'ladi. Quydagi $a + 8 = \frac{c}{2}$ tenglik

o'rini bo'lsa, uchburchakning yuzini toping. A) 2 B) 6 C) 4 D) 8

603. Agar uchburchakning yuzi medianalari 12, 15 va 21 sm ga teng bo'lsa, uning yuzini toping.

- A) 48 B) $48\sqrt{2}$ C) $48\sqrt{3}$ D) $48\sqrt{5}$

604. Uchburchakning yon tamonlari tub sonlar bo'lib, uning ichki burchaklari arifmetik progressiyani tashkil qiladi. Agar $3\sin\alpha = 2\sin\gamma$ bo'lsa, uchburchakning uchidagi β burchak qashqisidagi tamonni toping ($\alpha < \beta < \gamma$).

- A) 7 B) $\sqrt{7}$ C) $\sqrt{5}$ D) $\sqrt{3}$

605. Agar α, β, γ lar uchburchakning ichki burchaklari bo'lib (α, β, γ)

$a_1 = \sin\alpha, a_2 = \sin\beta, a_3 = \sin\gamma$, hamda $a_2 = \sqrt{3}a_1, a_3 = 2a_1$ tengliklar o'rini

bo'lsa, $\frac{|a_3|}{|a_1| + |a_2|} = ?$ A) $1 + \sqrt{3}$

- B) $1 - \sqrt{3}$ C) $\sqrt{3} - 1$ D) $\sqrt{3}$

606. To'g'ri burchakli uchburchakka ichki va tashqi chizilgan aylanalarning radyuslari mos ravishda 2 sm va 5 sm ga teng bo'lsa, uchburchakning qatetini toping. A) 3 va 4 B) 6 va 8
C) 5 va 12 D) 8 va 15

607. O'tkir burchagi 60° ga, perimetri $4(3 + \sqrt{3})$ ga teng bo'lgan to'g'ri burchakli uchburchakga tashqi chizilgan aylana radiusini topilsin.

- A) 2 B) 3 C) 4 D) $2\sqrt{3}$

608. Teng yonli uchburchakning uchidagi burchagi α ga teng. Shu uchburchaka ichki va tashqi chizilgan doira radyuslari nisbatini toping.

- A) $\frac{\operatorname{ctg}\left(45^\circ - \frac{\alpha}{4}\right)}{\sin\alpha}$ B) $\frac{\operatorname{tg}\left(45^\circ - \frac{\alpha}{4}\right)}{\sin\alpha}$

- C) $\frac{\operatorname{ctg}\left(45^\circ - \frac{\alpha}{4}\right)}{\cos\alpha}$ D) $\frac{\operatorname{tg}\left(45^\circ - \frac{\alpha}{4}\right)}{\cos\alpha}$

To'rtburchaklar

609. P nuqta $ABCD$ to'g'ri to`rtburchak ichidagi nuqta.

Agar $|PD| = \sqrt{3}$, $|PB| = \sqrt{2}$, $|PD| = \sqrt{6}$ bo'lsa, $|PA| = ?$ toping.

A) 2 B) $\sqrt{7}$ C) $\sqrt{5}$ D) 3

610. To'g'ri to`rtburchakning perimetri 30 sm, uning ikki qo'shni tomonlariga chizilgan kvadratlar yuzlaring yig'indisi 137 sm^2 . To'g'ri to`rtburchakning yuzini toping. A) 44 B) 26 C) 36 D) 50

611. To'g'ri burchakli trapetsiyaning diagonali yon tomoniga teng. Agar uning balandligi 2 ga va yon tomoni 7 ga teng bo'lsa, trapetsiya o'rta chiziqini toping. A) 4 B) 5 C) $3\sqrt{2}$ D) $3\sqrt{3}$

312. Trapetsiyaning 9 ga teng bo'lgan o'rta chizig' uning yuzini 3:5 kabi nisbatda bo'ladi. Trapetsiyaning asoslarini toping.

A) 4,5 va 13,5 B) 4 va 14
C) 6 va 12 D) 3,5 va 14,5

613. Asoslari 13 va 17 ga teng bo'lgan teng yonli trapessiyaning diagonallari o'zaro perpendikulyar. Trapessiyaning yuzini toping.

A) 210 B) 215 C) 220 D) 225

614. Teng yonli trapetsiyaning asoslari 4 va 12 bo'lsa, unga ichki chizilgan doiranining yuzini toping.

A) 8π B) 12π C) 16π D) 18π

615. P nuqta $ABCD$ to'g'ri to`rtburchak ichidagi nuqta. Agar $|PD| = \sqrt{3}$, $|PB| = \sqrt{2}$, $|PD| = \sqrt{6}$ bo'lsa, $|PA| = ?$ toping.

A) 2 B) $\sqrt{7}$ C) $\sqrt{5}$ D) 3

616. Aylanaga tashqi chizilgan teng yonli trapetsiyaning asoslari ayirmasi 2ga teng bolgan arifmetik progressiya tashkil qiladi. Trapetsiyani o'rta chizig'i 3ga teng bo'lsa, aylana markazidan trapetsiyaning kichik asosi uchigacha bo'lgan masofani toping.

A) $\sqrt{2}$ B) $\sqrt{3}$ C) 2 D) $\sqrt{6}$

617. $ABCD$ parallelogramda $AB = 37$, diagonallari kesishgan niqtadan AD tomonga tushurilgan perpendikulyar uni $AE = 26$ va $ED = 14$ kesmalarga ajtadi. Parallelogramm yuzini toping.

A) 1400 B) 1440 C) 1450 D) 1480

618. Trapessiyaning parallel tomonlari a va b ga teng. Shu tomonlarga parallel va trapessiya yuzini teng ikkiga bo'lgan kesma uzunligini toping.

- A) $2\sqrt{a^2 + b^2}$ B) $\sqrt{\frac{a^2 + b^2}{2}}$
C) $\sqrt{a^2 + b^2}$ D) $\frac{1}{2}\sqrt{a^2 + b^2}$

619. Yuzi Q ga, diagonallarining nisbati $m:n$ bo'lgan rombning tomonini toping.

- A) $2\sqrt{Q \frac{m^2 + n^2}{mn}}$ B) $Q\sqrt{\frac{m^2 + n^2}{mn}}$
C) $\sqrt{Q \frac{m^2 + n^2}{mn}}$ D) $\sqrt{Q \frac{m^2 + n^2}{2mn}}$

620. Rombning peremetri $2p$, diagonallarining yig'indisi m bo'lsa, uning yuzini toping.

- A) $\frac{m^2 - p^2}{4}$ B) $\frac{m^2 - p^2}{2}$
C) $\frac{m^2 - p^2}{8}$ D) $2(m^2 - p^2)$

621. Tapessiyaning qurrsasi a ga teng. Shu trapessiyaning bir qirrasi orqali o'tib, uning qarshisidagi qirrani 2:1 nisbatda bo'luvchi tekislik bilan kesilgan. Hosil bo'lgan kesimni toping.

- A) $\frac{\sqrt{17}a^2}{12}$ B) $\frac{\sqrt{19}a^2}{12}$
C) $\frac{\sqrt{17}a^2}{6}$ D) $\frac{\sqrt{19}a^2}{6}$

622. To'g'ri burchakli trapessiyaning balandligi h , uning asosiga perpendikulyar bo'limgan tomonini diametr qilib chizilgan aylana trapessiyaning qaramaqarshi tomoniga urinadi. Katetlari trapessiyaning asoslari bo'lgan to'g'ri

burchakli uchburchakning yuzini
toping. A) $\frac{h^2}{8}$ B) $\frac{h^2}{16}$ C) $\frac{h^2}{2}$ D) $\frac{h^2}{4}$

623. $ABCD$ parallelogramda $AB=37$,
diagnallari kesishish nuqtsidan AD tomoniga tushirilgan perpendikulyar uni
 $AE=26$ va $ED=14$ bo'lgan kesmalarga
ajratadi. Parallelogramm yuzini toping.
A) 1440 B) 1400 C) 1480 D) 1450

Aylanavadoira

624. Aylananing $a = \text{arcctg} \sqrt{3}$ ichki
burchagiga mos yoy uzinligi 2π ga
teng. Shu yoyga tiralgan vatarning
uzunligini toping.

- A) 12 B) 8 C) 6 D) 4

625. Doiraning 6 sqli vatori ajratgan
sigmetiga tomoni 2 sqli kvadrat ichki
chizilgan. Doira radiyusini toping.

- A) $\sqrt{10}$ B) 3 C) $2\sqrt{2}$ D) $\sqrt{7}$

626. To'g'ri burchakli uchburchakning
gipotenuzasining uzunligi $\sqrt{45}$,
katetlari maxraji 2ga teng geometric
progressiyani tashkil etadi. Unga ichki
chizilgan aylananing eng kata vatarini
toping.

- A) $4,5 - \frac{\sqrt{45}}{2}$ B) $9 - \sqrt{45}$
C) $4,5 + \frac{\sqrt{45}}{2}$ D) $9 + \sqrt{45}$

627. Aylanaga teng yonli trapetsiya
tashqi chizilgan. Bu aylananing radyusi
trapetsiyaga tashqi chizilgan aylana
radyusidan $\sqrt{6}$ marta kichik. Trapetsiya
asosidagi burchagini toping.

- A) $\frac{\pi}{8}$ B) $\frac{\pi}{6}$ C) $\frac{\pi}{4}$ D) $\frac{\pi}{3}$

628. Katta katetini diametr qilib, unga
yarm aylana tashqi chizilgan. Kichik
kateti 30 sm, to'g'ri burchak uchini
yarm aylana gipotenuzani kesgan nuqta
bilan tutashtiruvchi vatar 24 sm, yarm
aylana uzunligini toping.

- A) 30π B) 40π C) 20π D) 10π

629. Aylananing bir nuqtasidan
uzunliklari 10 va 12 bo'lgan vatarlar
o'tkazilgan. Kichik vatar o'rtasidan

katta vatargacha bo'lgan masofa 4 ga
teng bo'lsa, aylana radiusini toping.

- A) 5,25 B) 6 C) 6,25 D) 6,5

630. Aylana $ABCD$ trapessiyaning B ,
 C va D uchlardan o'tib AB tomoniga
 B nuqtada urunadi. Asoslari a va b
bo'lsa BD diaganalni toping.

- A) $\sqrt{a+b}$ B) $a+b$ C) \sqrt{ab} D) ab

631. Asosi 4 sm ga, balandligi 6 sm ga
teng bo'lgan teng yonli uchburchakning
yon tomonini diametr qilib yarm aylana
chizilgan. Uning asos va yon tomon
bilan kesishish nuqtalari to'g'ri chiziq
bilan tutashtirilgan. Yarm aylanada
hosil bo'lgan ichki chizilgan to'rt-
burchakning yuzini toping.

- A) 10 B) 10,5 C) 10,8 D) 11

Aylana tenglamasi

632. $x^2 - 4x + y^2 + 6x = 12$ tenglama
bilan berilgan aylana uzunligini toping.

- A) 8π B) 10π C) 11π D) 12π

633. $x^2 + 10x + y^2 + 16y = 32$ tenglama
bilan berilga aylana chegaralab turgan
soha yuzini toping.

- A) 100π B) 121π C) 144π D) 81π

634. Ushbu $x^2 - 2x + y^2 - 4y = 4$
tenglama berilgan aylananing marka-
zidan va koordinatalar boshidan o'tuv-
chi to'g'ri chiziq tenglamasi $f(x)$
bo'lsa, $f'(9)$ ni hisoblang.

- A) 0 B) 1 C) 2 D) 4

635. Ushbu $x^2 + y^2 - 6x + 4y + 5 = 0$
tenglama bilan berilgan aylananing
markazidan o'tuvchi va Ox o'qi bilan
 45° burchak hosil qiluvchi to'g'ri chiziq
tenglamasini toping.

- A) $y = x - 5$ B) $y = x + 5$
C) $y = x - 1$ D) $y = x + 1$

Ko'pburchak

636. Diagnallarning soni tomonlaring
soniga teng bo'lgan ko'pburchakning
ichki burchaklaring yig'indising toping.

- A) 720° B) 360° C) 540° D) 180°

637. Diaganallari soni tomonlarining sonidan 1,5 marta ko'p bo'lgan qavariq muntazam ko'pburchakning barcha ichki burchaklari va bitta tashqi burchagi yigindisini toping.

- A) 480° B) 720° C) 780° D) 900°

638. Diagnallarning soni tomonlaring soniga teng bo'lgan qavariq muntazam ko'pburchakning barcha ichki burchaklari va bitta tashqi burchagi yig'indisini toping.

- A) 540° B) 468° C) 720° D) 612°

639. Diaganallari soni tomonlarining sonidan 2 marta ko'p bo'lgan qavariq muntazam ko'pburchakning barcha ichki burchaklari va bitta tashqi burchagi yigindisini toping.

- A) 540° B) 720° C) 1080° D) 900°

640. Qavariq ko'pburchakning x ga teng bo'lgan bitta burchagidan tashqari qolgan barcha burchaklari yig'indisi 2192° ga teng. x burchakning gradus o'lchovini toping. A) 154° B) 148°

- C) 150° D) aniqlab bo'lmaydi.

Aylanavako'pburchaklar

641. Halqaning katta radiusi 6, kichik radiusi esa tomoni $\sqrt{3}$ ga teng bo'lgan muntazam uchburchakka ichki chizilmagan aylananing radiusidan 4 marta katta. Halqaning yuzini va kengligini toping. A) $32\pi; 4$

- B) $32\pi; 6$ C) $36\pi; 8$ D) $36\pi; 12$

642. Aylanaga ichki chizilgan $ABCD$ to'rtburchakning AC va BD diognallari E nuqtada kesishadi. Agar $AB = 3, BC = 5, CD = 4$, va $CE : EA = 4 : 3$ bolsa, AC kesmaning uzunligini toping?

- A) 2 B) 3 C) 4 D) 5

643. Yuzasi 8 ga teng bo'lgan kvadratga tashqi chizilgan aylananing radiusi $R = \log_3 x$ teglamani qanoatlantirsa, tenglamaning yechimini toping. A) 0,5 B) 2 C) 9 D) 3

644. Radiusi 8 ga teng bo'lgan aylanaga ichki chizilgan muntazam olti burchakning perimetrini toping.

- A) 48 B) 56 C) $48\sqrt{3}$ D) $48\sqrt{2}$

645. Radiusi R bo'lgan doiraga bir burchagi 120° bo'lgan teng yonli uchburchak tashqi chizilgan. Uning asosini toping.

- A) $2R(\sqrt{3} + \sqrt{2})$ B) $R(\sqrt{3} + \sqrt{2})$

- C) $2R(\sqrt{3} + 1)$ D) $R(\sqrt{3} + 1)$

646. Aylanaga teng yonli trapetsiya tashqi chizilgan. Bu aylananing radiusi trapetsiyaga tashqi chizilgan aylana radiyusidan $\sqrt{6}$ marta kichik.

Trapetsiya asosidagi burchakni toping.

- A) $\frac{\pi}{3}$ B) $\frac{\pi}{6}$ C) $\frac{\pi}{4}$ D) $\frac{\pi}{8}$

647. Aylana kvadratning ikki qo'shni tomoniga urinadi, qolgan ikki tomonini 2 va 23 bo'lgan kesmalarga ajratadi. Aylana radiusini toping.

- A) 17 B) 25 C) 27 D) 37

Koordinatalarsistemasi

648. XOY-Dekart koordinata sistemasida 2 ta to'g'ri chiziq berilgan bo'lib, ulardan biri koordinata boshi va $A(2;3)$ nuqtadan, ikkinchisi $B(0;2)$ va $C(1;0)$ nuqtalardan o'tishi ma'lum bo'lsa, ular kesishish nuqtasining koordinatalar yig'indisi aniqlansin.

- A) $\frac{4}{7}$ B) $\frac{6}{7}$ C) $\frac{10}{7}$ D) 3

649. Agar $A\left(-3\frac{3}{4}; 5\frac{1}{2}\right)$ va $B(-0,8;-1,4)$ nuqtalar berilgan bo'lsa, AB kesmani o'rtasini toping.

- A) $\left(-3\frac{3}{8}; 5\frac{1}{4}\right)$ B) $(-0,4;-0,7)$

- C) $\left(-2\frac{11}{40}; 2,05\right)$ D) $(-1,475; 2,05)$

650. $(-3;4)$ nuqtaning abscissa, ordinata o'qlariga va koordinata boshiga

nisbatan simmetrik bo'lgan nuqtalarni tutashtirishdan hosil bo'lgan uchburchakning balandligini toping.

- A) 2,4 B) 4,8 C) 5 D) 5,4

651. Uchburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan: $A(0;0)$, $B(1;-10)$, $C(1;0)$. Uchburchakning yuzini toping.

- A) 4 B) 5 C) $3\sqrt{3}$ D) $4\sqrt{2}$

652. Uchburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan: $A(5;0)$, $B(1;4)$, $C(1;0)$. Uchburchakning yuzini toping.

- A) $-\frac{4}{5}$ B) $-\frac{4}{7}$ C) $-\frac{3}{5}$ D) $-\frac{5}{7}$

653. Uchburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan:

- $A(0;0)$, $B\left(\frac{1}{2};0\right)$, $C(1;0)$.

Uchburchakning yuzini toping.

- A) 2 B) 3 C) $2\sqrt{3}$ D) $2\sqrt{2}$

654. Uchburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan: $A(0;0)$, $B(-1;-2)$, $C(-2;0)$. Uchburchakning yuzini toping.

- A) 2 B) 3 C) $2\sqrt{3}$ D) $2\sqrt{2}$

655. Uchburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan:

- $A(0;0)$, $B(1;-2)$, $C(1;0)$.

Uchburchakning yuzini toping.

- A) 2 B) 1 C) $\sqrt{2}$ D) $\sqrt{3}$

656. To'rtburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan.

- $A(1;0)$, $B(1;y)$, $C(-10;y)$ va $D(-12;0)$.

To'rtburchak diagonallarining o'rtalari orasidagi masofani toping.

- A) y ga bog'liq B) 1 C) 2 D) $\sqrt{2}$

657. $y > 0$ bo'lsin. To'rtburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan. $A(1;0)$, $B(1;y)$, $C(-10;y)$ va $D(-12;0)$. To'rtburchakning diagonallarining o'rtalari orasidagi masofani toping.

- A) $\sqrt{2}$ B) 1 C) 2 D) y ga bog'liq

658. $y > 0$ bo'lsin. To'rtburchakning uchlari to'g'ri burchakli dekart koordinatalar sistemasida quydagicha berilgan. $A(1;0)$, $B(1;y)$, $C(-1;y)$ va $D(-3;0)$. To'rtburchakning diagonallarining o'rtalari orasidagi masofani toping.

- A) $\sqrt{2}$ B) 1 C) 2 D) y ga bog'liq

659. Markazi $A(3;2)$ nuqtada bo'lgan Oy -qiga urinuvchi aylanaga tashqi chizilgan muntazam uchburchakning yuziga tengdosh kvadratning perimetrini toping

- A) $6\sqrt{3}\sqrt{3}$ B) $4\sqrt[4]{27}$

- C) $12\sqrt[4]{27}$ D) $\sqrt[4]{27}$

Vektorlar

660. Ikki sonning ko'paytmasi 18 ga teng va bu sonlar $|x - y| = 3$ tenglamani qanoatlantiradi. Bu nuqtalar orasidagi masofani toping.

- A) $3\sqrt{2}$ B) 6 C) 3 D) 4

661. Ikki vektor orasidagi burchak $(\arccos)' = -1$ tenglamani qanoatlantirsa, bu vektorlar bo'ladi

- A) teng vektorlar B) perpendikulyar
C) qarama-qarshi D) yo'naliishdosh

662. $|\vec{a} + \vec{b}| = 8$, $|\vec{a} - \vec{b}| = 4$ va $|\vec{a}| = 3$ bo'lsa, $|\vec{b}|$ ni to'ping.

- A) $\sqrt{23}$ B) 5 C) $\sqrt{31}$ D) 4

663.

$A(2;4)$; $B(3;6)$; $C(6;14)$ nuqtalar berilgan. $|\overline{AB} + \overline{AC}|$ ni hisoblang.

- A) 12 B) 13 C) 14 D) $5\sqrt{29}$

Streanametrya

- 664.** Katetlari $2\sqrt{2}$ va 8 ga teng bo'lgan uchburchak kichik tamoni atrofida aylantirish natijasida hosil bo'lgan jisimning yon sirtini yuzini toping.
- A) $54\sqrt{2}\pi$ B) $48\sqrt{2}\pi$
C) $50\sqrt{2}\pi$ D) $52\sqrt{2}\pi$

Fazoda to'g'richiziqlarvatekisliklar

- 665.** Bir nuttadan tekislikka og'ma va perpendikulyar tushirilgan. Og'ma ma tekislik orasidagi α burchak uchun

ushbu
$$\frac{\sin\left(\frac{\pi}{2} - \alpha\right)}{\cos\left(\frac{3\pi}{2} - \alpha\right)} = -2$$
 tenglik

o'rinli bo'lsa og'maning proeksiyasini perpendikulyarga nisbatini toping,

- A) $\frac{1}{2}$ B) 1 C) 2 D) 4

- 666.** A nuqtadan tekislikka o'zaro perpendikulyor bo'lgan 2 ta og'ma o'tkazilgan. Ulardan biri 8 ga, ikkinchisi uning 75% ga va bu nuqtadan tekislikgacha bo'lgan masofa 4,8 ga teng bo'lsa, ularning tekislikdagi proyeksiyalarini toping.

- A) 3,6 va 6,4 B) 3,3 va 6,6
C) 3,2 va 5,8 D) 3,5 va 6,5

- 667.** Agar $\vec{a}(\sqrt{27}; 2\sqrt{3}; -6)$ va $\vec{b}(\sqrt{20}; -\sqrt{6}; 6\sqrt{2})$ berilgan bo'lsa, $\frac{\vec{a}}{\sqrt{3}} \cdot \frac{\vec{b}}{\sqrt{2}}$ ni toping.

- A) $14\sqrt{3} - 2\sqrt{10}$ B) $3\sqrt{10} + 14\sqrt{3}$
C) $14\sqrt{3} - 3\sqrt{10}$ D) $3\sqrt{10} - 14\sqrt{3}$

Ko'pyoqlar

- 668.** To'la sirti 36 sm^2 bo'lgan kubning ayqash qirralari o'rtalari orasidagi masofani toping.

- A) 3 B) 4 C) 6 D) 9

- 669.** Parallelepipedning asoslari tomoni 4 ga teng kvadratlardan, barcha yon yoqlari romblardan iborat. Yuqori sosining uchlaridan biri ostki asosining barcha uchlaridan baravar uzoqlikda joylashgan. Parallelepipedning hajmini toping.

- A) 8 B) $16\sqrt{2}$ C) $8\sqrt{2}$ D) $32\sqrt{2}$

- 670.** Parallelepipedning asoslari tomoni 6 ga teng kvadratlardan, barcha yon yoqlari romblardan iborat. Yuqori sosining uchlaridan biri ostki asosining barcha uchlaridan baravar uzoqlikda joylashgan. Parallelepipedning hajmini toping.

- A) 81 B) $54\sqrt{2}$ C) $72\sqrt{2}$ D) $108\sqrt{2}$

- 671.** Chiziqli o'lchovlarning ayirmasi 3 ga teng bo'lgan to'g'ri burchakli parallelepipedning diagonali $\sqrt{93}$ ga teng bo'lsa, uning hajmini toping.

- A) 70 B) 180 C) 90 D) 80

- 672.** To'g'ri parallelepiped diaganallari 9 sm va $\sqrt{33}$ sm, asosining perimetri 18 sm, yon qirrasi 4 sm. Parallelepiped to'la sirtini toping.

- A) 100 B) 104 C) 108 D) 120

- 673.** Uchburchakli muntazam prizmada yon yog'i diaganali bilan ikinchi yon yog'i orasidagi burchak 30° . Asos qirrasi a . Prizma yon sirtini toping.

- A) $3a^2\sqrt{2}$ B) $3a^2\sqrt{3}$
C) $2a^2\sqrt{2}$ D) $2a^2\sqrt{3}$

- 674.** Uchburchakli muntazam piramida asosiga perpendiqulyar va asosining ikki tomonini teng ikkiga bo'luvchi tekislik bilan kesilgan. Dastlabgi piramida asosining tomonini a va asosidagi ikki yoqli burchak α ga teng. Tekislik kesib ajratgan piramida hajmini toping.

- A) $\frac{a^3tg\alpha}{32}$ B) $\frac{a^3tg\alpha}{64}$

- C) $\frac{a^3tg\alpha}{128}$ D) $\frac{a^3tg\alpha}{256}$

- 675.** Beshburchakli muntazam piramida asosi yuzi S , yon sirti Q ga teng.

Piramida yon yog'ining asos tekisligiga og'ish burchagini toping.

A) $\arctg \frac{S}{Q}$ B) $\arcsin \frac{S}{Q}$

C) $\arccos \frac{S}{Q}$ D) $\operatorname{arcctg} \frac{S}{Q}$

676. Piramidaning asosi teng yonli uchburchak bo'lib, asosidagi burchak α . Piramida asosidagi hr bir ikkiyoqli burchak $\varphi = 90^\circ - \alpha$. Piramida yon sirti S bo'lsa, to'la sirtini toping.

A) $2S \cos^2 \left(45^\circ - \frac{\alpha}{2} \right)$ B) $2S \cos^2 \left(\frac{\alpha}{2} \right)$

C) $2S \sin^2 \left(45^\circ - \frac{\alpha}{2} \right)$

D) $2S \cos^2 \left(90^\circ - \frac{\alpha}{2} \right)$

677. To'g'ri prizmaning asosida to'g'ri burchakli ABC uchburchak. $\angle C = 90^\circ$, $\angle A = 60^\circ$, $AC = b$. Prizmada AB gipotenuza orqali o'tuvchi yon yog'ining diaganali AC katet orqali o'tuvchi yon yoq bilan 30° burchak hosil qiladi. Prizma hajmini toping.

A) $\frac{b^3 \sqrt{6}}{2}$ B) $\frac{b^3 \sqrt{3}}{4}$ C) $\frac{b^3 \sqrt{3}}{3}$ D) $b^3 \sqrt{6}$

678. To'g'ri prizmaning asosi to'g'ri burchakli uchburchak bo'lib, uning gipotenuzasi c va bir o'tkir burchagi α . Ostki asosining gipotenuzasi va usti asosidagi to'g'ri burchakning uchi orqali o'tkazilgan tekislik bilan β burchak tashkil etadi. Prizmadan tekislik kesib ajratgan uch burchakli piramidaning hajmini toping. A) $\frac{1}{12} c^3 \sin^2 2\alpha \operatorname{tg} \beta$

B) $\frac{1}{24} c^3 \sin^2 2\alpha \operatorname{tg} \beta$

C) $\frac{1}{24} c^3 \sin \alpha \operatorname{tg} \beta$

D) $\frac{1}{12} c^3 \sin \alpha \operatorname{tg} \beta$

679. Piramida asosining tomonlari x va y bolgan to'g'ri to'rtburchakdan iborat va quyidagi $\begin{cases} |x| = 4 \\ \log_2 x = y \end{cases}$

tenglamalar sistemasining yechimini. Piramidaning to'la sirti 18 bo'lsa, yon sirtini toping

A) 10 B) 28 C) 13 D) 5

680. Piramidaning asosi to'g'ri to'rtburchak, uning diaganallari orasidagi otkir burchagi α ga teng. Piramidaning yon qirralari asos tekisligi bilan φ burchak hosil qiladi. Shu piramidaga tashqi chizilgan sharning radiusi R . Piramida hajmini toping.

A) $\frac{2}{3} R^3 \sin^2 2\varphi \sin \alpha \operatorname{tg}^2 \varphi$

B) $\frac{1}{3} R^3 \sin^2 2\varphi \sin \alpha \operatorname{tg}^2 \varphi$

C) $\frac{2}{3} R^3 \sin^3 2\varphi \sin \alpha \operatorname{tg} \varphi$

D) $\frac{1}{3} R^3 \sin^3 2\varphi \sin \alpha \operatorname{tg} \varphi$

681. To'g'ri parallelepiped asosining tomonlari a va b , o'tkir burchagi α . Asosining katta diaganali parallelepiped kichik diaganaliga teng. Parallelepiped hajmini toping.

A) $\frac{\sin \alpha}{2} \sqrt{(ab)^3 \cos \alpha}$

B) $\sin \alpha \sqrt{(ab)^3 \cos \alpha}$

C) $2 \sin \alpha \sqrt{(ab)^3 \cos \alpha}$

D) $3 \sin \alpha \sqrt{(ab)^3 \cos \alpha}$

682. To'g'ri parallelepiped asosi ro'mbdan iborat bo'lib, uning diagonal kesimlarining yuzalari S_1 va S_2 ga teng. Parallelepipedning yon sirtini toping. A) $\frac{1}{2} \sqrt{S_1^2 + S_2^2}$ B) $\sqrt{S_1^2 + S_2^2}$

C) $2 \sqrt{S_1^2 + S_2^2}$ D) $4 \sqrt{S_1^2 + S_2^2}$

683. To'g'ri burchakli parallelepiped asosining tomonlari a va b ga teng. Parallelepiped diagonali yon qirrasi bilan φ burchak tashkilqilsa, uning hajmini toping.

- A) $ab\sqrt{a^2 + b^2} \cdot \operatorname{tg}\varphi$
 B) $ab\sqrt{a^2 + b^2} \cdot \operatorname{ctg}\varphi$
 C) $ab\sqrt{a^2 + b^2} \cdot \cos\varphi$
 D) $ab\sqrt{a^2 + b^2} \cdot \sin\varphi$

684. To'rtburchakli muntazam prizma diagonali d ga teng bo'lib, yon yoq tekisligi bilan α burchak tashkil etadi. Prizma hajmini toling.

- A) $d^3 \sin^2 \alpha \cdot \sqrt{\cos \alpha}$
 B) $d^3 \sin^2 \alpha \cdot \sqrt{\cos 2\alpha}$
 C) $d^3 \sin^3 \alpha \cdot \sqrt{\cos 2\alpha}$
 D) $d^3 \sin^3 \alpha \cdot \sqrt{\sin 2\alpha}$

685. Uchburchakli piramidaning ikki yon yog'i teng yonli to'g'ri burchakli uchburchaklar bo'lib, ularning gipotenuzalari b va bu gipotenuzalar o'zaro α burchak hosil qiladi. Piramida hajmini toping.

- A) $\frac{1}{6}b^3 \cos \frac{\alpha}{2} \sqrt{\cos \alpha}$
 B) $\frac{1}{6}b^3 \sin \frac{\alpha}{2} \sqrt{\cos \alpha}$
 C) $\frac{1}{6}b^3 \cos \frac{\alpha}{2} \sqrt{\sin \alpha}$
 D) $\frac{1}{6}b^3 \sin \frac{\alpha}{2} \sqrt{\sin \alpha}$

686. Tetraedrning qirrasi b . Qirralardan birinchi o'rtasidan bir-biri bilan kesishmaydigan ikkita qirrasiga parallel qilib tekislik o'tkazilgan. Hosil bo'lgan kesimning yuzini toping.

- A) $\frac{b^2}{2}$ B) $\frac{b^2}{3}$ C) $\frac{b^2}{4}$ D) $\frac{b^2}{6}$

687. Tetraedrning qirrasi a ga teng. Shu tetraedrning bir qirrasi orqali o'tib, uning qarshisidagi qirrasi 2:1 nisbatda bo'luvchi tekislik bilan kesilgan. Hosil bo'lgan kesimning yuzini toping.

- A) $\frac{\sqrt{17}a^2}{12}$ B) $\frac{\sqrt{19}a^2}{12}$
 C) $\frac{\sqrt{17}a^2}{6}$ D) $\frac{\sqrt{19}a^2}{6}$

Silindr va kons

688. Qaysi jism(lar)ning simmetriya tekisligi cheksiz sonda?

- 1) shar; 2) prizma? 3) konus.

A) 1, 3 **B)** 3 **C)** 2 **D)** 1

689. Konusning yasovchisi va asos tekisligi orasidagi α burchak ushbu $\sin 3\alpha(e - \cos 3\alpha) = 0$ tenglamani qanoatlantiradi. Asosi uchun quydagi $x^2 - 2x + y = 8$ tenglama o'rinni bo'lsa, konusning yon sirtini toping.

- A)** 6π **B)** 9π **C)** 18π **D)** 3π

690. Radiusi R bo'lgan sharga kesik qo'nus ichki chizilgan. Kesik qo'nusning asoslari shardan o'q kesimidagi yoylari α va β ga teng ikkita segment kesadi. Kesik konus yon sirtini toping.

- A)** $\pi R^2 \sin \frac{\alpha + \beta}{2} \cos \frac{\alpha - \beta}{2}$
B) $2\pi R^2 \sin \frac{\alpha + \beta}{2} \cos \frac{\alpha - \beta}{2}$
C) $2\pi R^2 \sin \frac{\alpha - \beta}{2} \cos \frac{\alpha + \beta}{2}$
D) $\pi R^2 \sin \frac{\alpha - \beta}{2} \cos \frac{\alpha + \beta}{2}$

691. Silindirning balandligi x va $9^x = 3^x + 6$ tenglamani qanoatlantiradi. Silindr o'q kesimining diagonalni $2x$ ga teng. Silindr o'q kesimi yuzining 20% ini toping.

- A)** $\sqrt{3}$ **B)** $\frac{\sqrt{3}}{5}$ **C)** $\frac{1}{5}$ **D)** $2\sqrt{3}$

692. Silindr o'q kesimining tomonlari x, y va ushbu $\begin{cases} 2x^2 + y = 89 \\ y^2 - 81 = 0 \end{cases}$ tengliklarni

qanoarlantirsa, silindrgatashqi chizilgan sharning tola sirtini toping.

- A)** 130π

- B)** 135π

- C)** 120π

- D)** 121π

693. Silindr o'qiga parallel qilib o'tkazilgan tekislik uning asosidan φ kattalikdagi yowni ajratadi. Silindr o'qining uzunligi h bo'lib, undan kesuvchi tekislikkacha bo'lgan masofa a ga teng. Kesim yuzini toping.

- A) $2ahtg \frac{\varphi}{2}$ B) $ahtg \frac{\varphi}{2}$
 C) $2ahtg\varphi$ D) $ahtg\varphi$

694. ABC uchburchakning yuzi S , bir tomoni $AC = b$ va $\angle CAB = \alpha$. Shu uchburchakni AB tomoni atrofida aylantirishdan hosil bo'lgan jism hajmini toping.

- A) $\frac{\pi Sb \sin \alpha}{6}$ B) $\frac{\pi Sb \sin \alpha}{3}$
 C) $\frac{4\pi Sb \sin \alpha}{3}$ D) $\frac{2\pi Sb \sin \alpha}{3}$

695. Uchburchakli muntazam prizma yon yog'ining diaganali asos tekisligi bilan φ burchak tashkil etadi. Prizma yon sirti S bo'lsa, uning hajmini toping.

- A) $\frac{S\sqrt{S}}{3\sqrt{ctg\varphi}}$ B) $\frac{S\sqrt{S}}{3\sqrt{tg\varphi}}$
 C) $\frac{S\sqrt{S}}{12\sqrt{ctg\varphi}}$ D) $\frac{S\sqrt{S}}{12\sqrt{tg\varphi}}$

696. Uchburchakli muntazam kesik piramidaning yon qirralari asos tekisligi bilan α burchak tashkil etadi. Ostki asosining tomoni a ga, ustki asosining tomoni b ga teng bo'lsa, kesik piramida hajmini toping.

- A) $\frac{1}{12}(a^3 - b^3)\sin \alpha$
 B) $\frac{1}{12}(a^3 - b^3)\tg \alpha$
 C) $\frac{1}{6}(a^3 - b^3)\tg \alpha$
 D) $\frac{1}{12}(a^3 - b^3)\ctg \alpha$

697. Katta diaganali d va o'tkir burchagi φ bo'lgan romb, o'tkir

burchagining uchi orqali kata diaganaliga perpendikulyar qilib o'tkazilgan o'q atrofida aylantirildi. Hosil bo'lgan jism hajmini toping.

- A) $\frac{\pi d^3 \tg \frac{\varphi}{2}}{2}$ B) $\frac{\pi d^3 \tg \frac{\varphi}{2}}{3}$
 C) $\frac{\pi d^3 \tg \frac{\varphi}{2}}{6}$ D) $\frac{2\pi d^3 \tg \frac{\varphi}{2}}{3}$

698. Uchburchakning b va c tomonlari va ular orasidagi burchak α berilgan. Shu uchburchak α burchagining uchi orqali uchburchak tashqarisidan o'tgan hamda b va c tomonlari bilan bir hil burchak hosil qiluvchi o'q atrofida aylantirildi. Hosil bo'lgan jismning hajmini toping.

- A) $\frac{\pi bc(b + c)\sin \alpha \cos \frac{\alpha}{2}}{6}$
 B) $\frac{\pi bc(b + c)\sin \frac{\alpha}{2} \cos \frac{\alpha}{2}}{6}$
 C) $\frac{\pi bc(b + c)\sin \alpha \cos \frac{\alpha}{2}}{3}$
 D) $\frac{\pi bc(b + c)\sin \frac{\alpha}{2} \cos \frac{\alpha}{2}}{3}$

699. Teng yonli trapetsiyaning diaganali yon tomoniga perpendikulyar. Yon tomoni b katta asosi bilan α burchak tashkil qiladi. Trapetsiyaning katta asosi atrofida aylantirishdan hosil bo'lgan jism sirtini toping.

- A) $4\pi b^2 \tg \alpha \cdot \sin \frac{\alpha}{2} \cdot \cos \frac{3\alpha}{2}$
 B) $4\pi b^2 \tg \alpha \cdot \sin \frac{\alpha}{2} \cdot \sin \frac{3\alpha}{2}$
 C) $4\pi b^2 \ctg \alpha \cdot \sin \frac{\alpha}{2} \cdot \sin \frac{3\alpha}{2}$
 D) $4\pi b^2 \ctg \alpha \cdot \sin \frac{\alpha}{2} \cdot \cos \frac{3\alpha}{2}$

700. Konus ichiga balandligi konus asosining radiusiga teng silindr ichki chizilgan. Silindr to'la sirtining konus asosining yuziga nisbati $3:2$ kabi. Konus o'qi bilan yasovchisi orasidagi topilsin.

- A) 60° B) 30°
 C) $\arctg \frac{1}{2}$ D) $\arctg 2$

701. Konus o'q kesimi uchidagi burchagi 2φ ga, o'q kesimi yuzi esa Q ga teng bo'lsa, konus hajmini toping.

- A) $\frac{1}{3}\pi Q\sqrt{Qtg\varphi}$ B) $\frac{1}{2}\pi Q\sqrt{Qtg\varphi}$
 C) $\frac{1}{6}\pi Q\sqrt{Qtg\varphi}$ D) $\frac{1}{3}\pi Q\sqrt{Qctg\varphi}$

702. a uzunlikdagi vatar silindr asosida π yoyni tortib turadi. Agar slinrdning balandligi H bo'lsa, uning to'la sirtini toping.

- A) $a\pi\left(H + \frac{a}{4}\right)$ B) $a\pi\left(H + \frac{a}{2}\right)$
 C) $a\pi(H + a)$ D) $a\pi H$

Sharvasfera va Shar

703. Agar shar kesimining radiusi $r = 2$ va shar markazida kesmgacha masofa, tomoni $2r$ bo'lgan kvadratning diagonaliga teng bo'lsa, sharning sirtini toping.

$$A) 144\pi^2$$

- B) 144π C) 50π D) 100π

704. Asosi tepaga qaratib qo'yilgan, o'q kesimi teng tomonli uchburchakdan iborat konus ichiga suv quyilgan va unga radiusi r ga teng shar solingan. Natijada suvning sathi sharga ust tomongan urinadi. Shar suvan olingandan keying suv sathini toping.

- A) $r\sqrt[3]{15}$ B) $r\sqrt[3]{5}$ C) $r\sqrt[3]{25}$ D) $r\sqrt[3]{3}$

705. Uchnurchakli muntazam prizmaga shar ichki chizilgan, bu shar prizmaning uchala yog'iga va ikkala asosiga urinadi. Shar sirtining prizma to'la sirtiga nisbatini toping.

- A) $\frac{\pi}{9\sqrt{3}}$ B) $\frac{2\pi}{9\sqrt{3}}$ C) $\frac{2\pi}{3\sqrt{3}}$ D) $\frac{\pi}{6\sqrt{3}}$

706. Radyusi R bo'lgan sharga kesik qonus ichki chizilgan. Kesik konusning asoslari shardan o'q kesimidagi yoylari α va β ga teng ikkita segmentga kesadi. Kesik konus yon sirtini toping.

- A) $2\pi R^2 \sin \frac{\alpha + \beta}{2} \cos \frac{\alpha - \beta}{2}$
 B) $\pi R^2 \sin \frac{\alpha + \beta}{2} \cos \frac{\alpha - \beta}{2}$
 C) $2\pi R^2 \sin \frac{\alpha - \beta}{2} \cos \frac{\alpha + \beta}{2}$
 D) $\pi R^2 \sin \frac{\alpha - \beta}{2} \cos \frac{\alpha + \beta}{2}$

707. Asosining radyusi R va balandligi bilan yasovchisi orasidagi burchagi 30° bo'lgan konus ichiga chizilgan shar konusning asosiga va yon sirtiga urinadi. Ko'nusning shar ustidagi

qismining hajmini toping.

- A) $\frac{2\pi R^3}{9\sqrt{3}}$
 B) $\frac{\pi R^3}{9\sqrt{3}}$ C) $\frac{\pi R^3}{18\sqrt{3}}$ D) $\frac{\pi R^3}{6\sqrt{3}}$

708. $\frac{\sqrt{3}}{2}$ radiusli sferaga muntazam to'rtburchakli piramida ichki chizilgan. Uchidagi yassi burchak 45° ga teng bo'lsa, piramida yon sirtining yuzini toping.

- A) 2 B) 3 C) 4 D) $2\sqrt{2}$